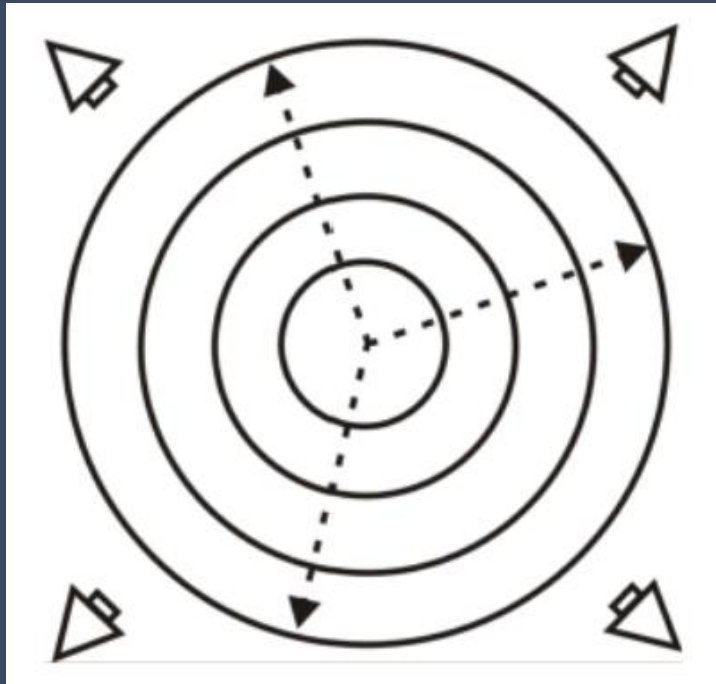
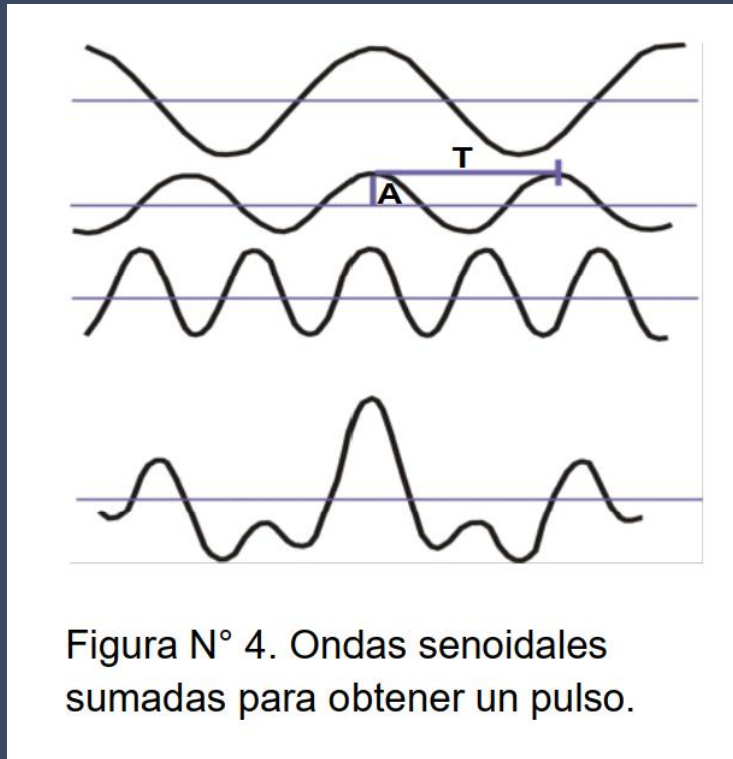


# Métodos Sísmicos de Exploración

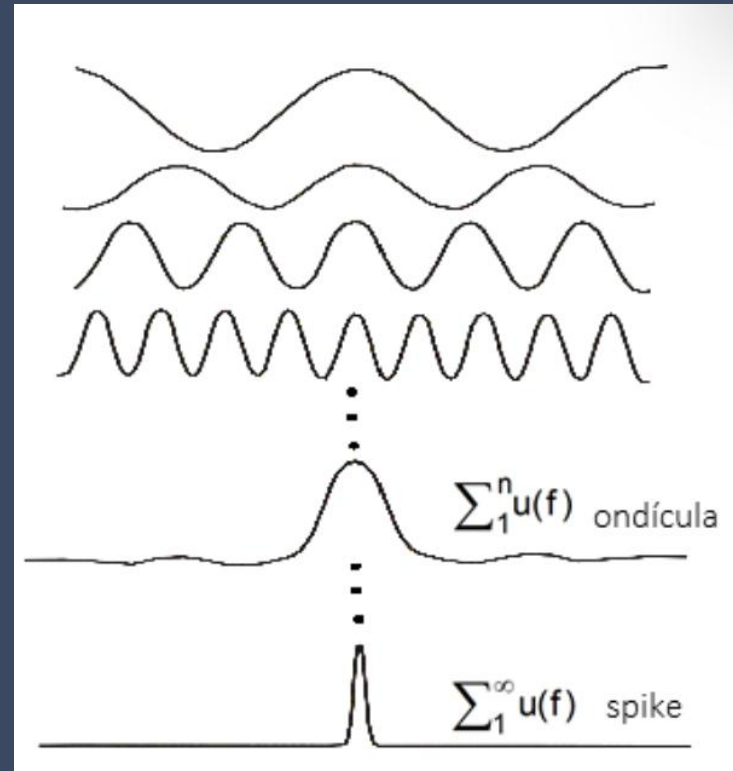
Frente de Onda: todos los puntos que son alcanzados por una onda simultáneamente



# Ondas sinusoidales

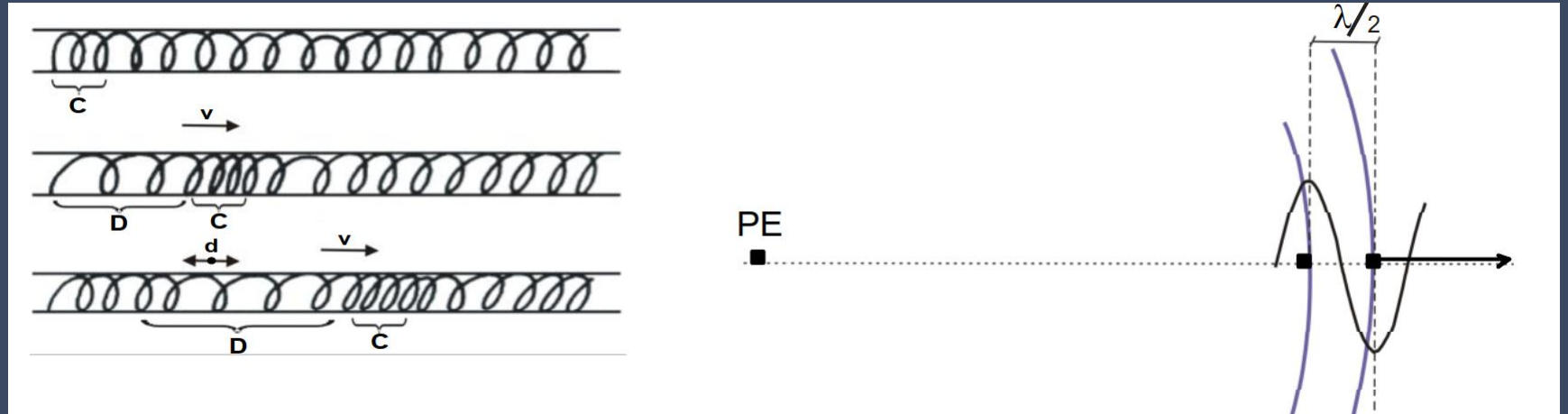


# Ondícula

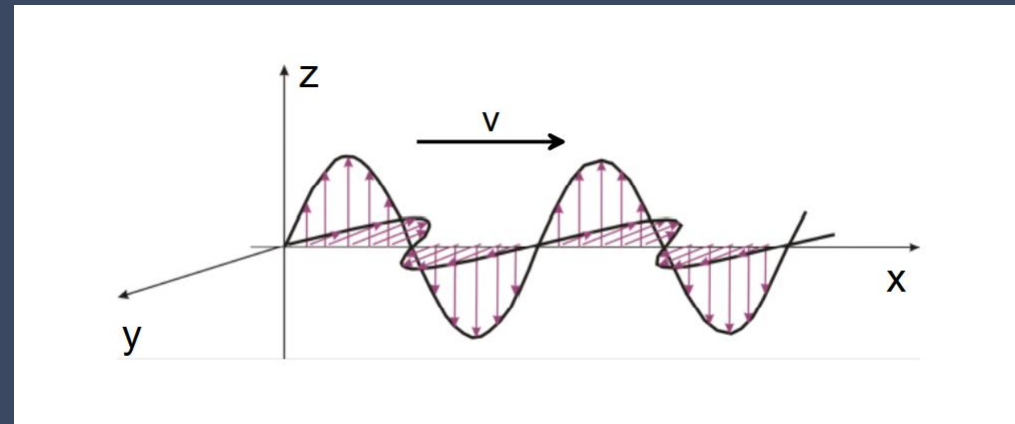


# Ondas sísmicas: deformaciones que se propagan en el medio elástico que es la Tierra

Ondas P (primarias)  
de presión



Ondas S (secundarias)  
de cizalla

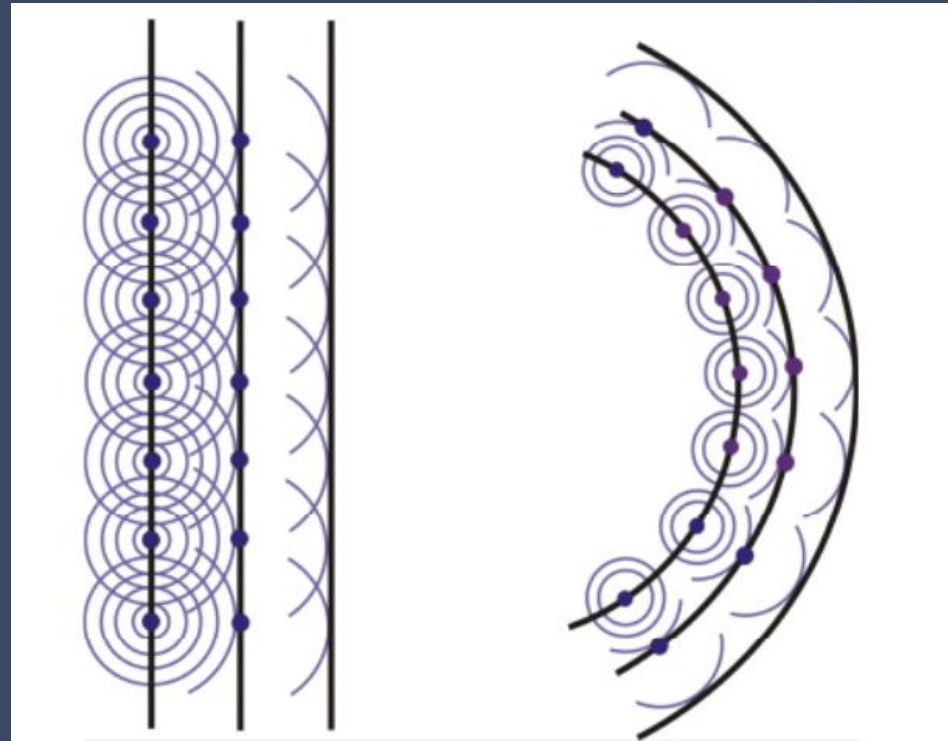
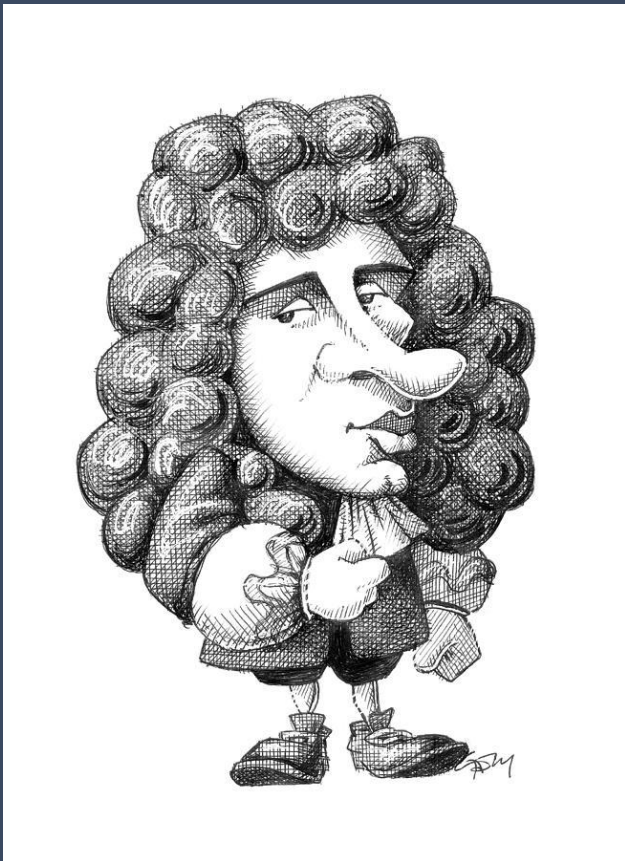


Ondas superficiales: Rayleigh y Love.

# Velocidad de propagación

Ondas P > Ondas S > Ondas Superficiales

**Principio de Huygens:** Cada punto de un frente de ondas primarias se convierte en un nuevo foco de ondas elementales que avanza con la velocidad de la onda primaria y tienen la misma frecuencia.



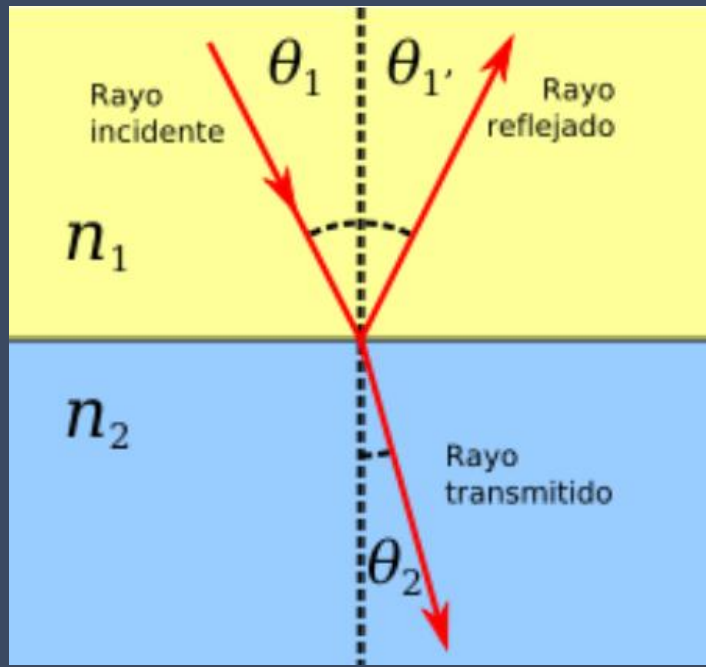
**Pierre de Fermat (1662):**  
La propagación de un rayo  
sísmico entre un receptor y un  
emisor se produce a siguiendo  
un camino de tiempo mínimo



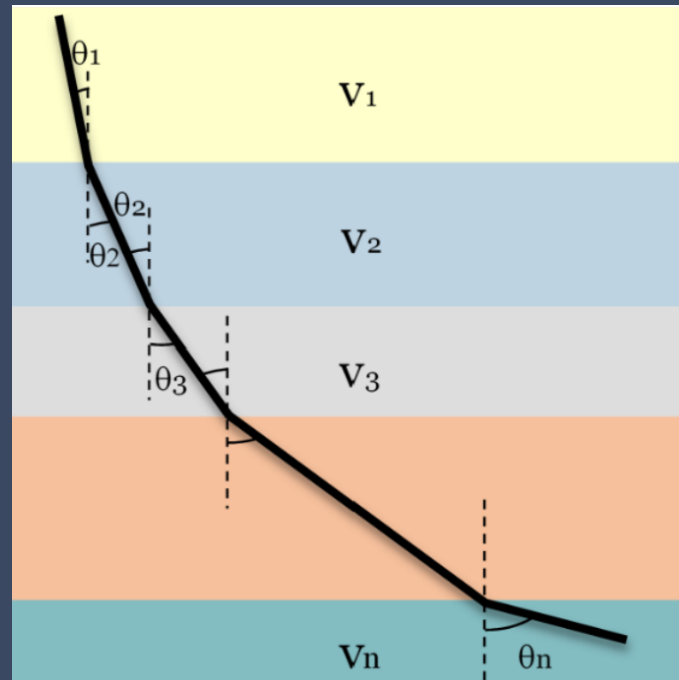
Willebrord Snel van Royen –  
Snellius (1621)



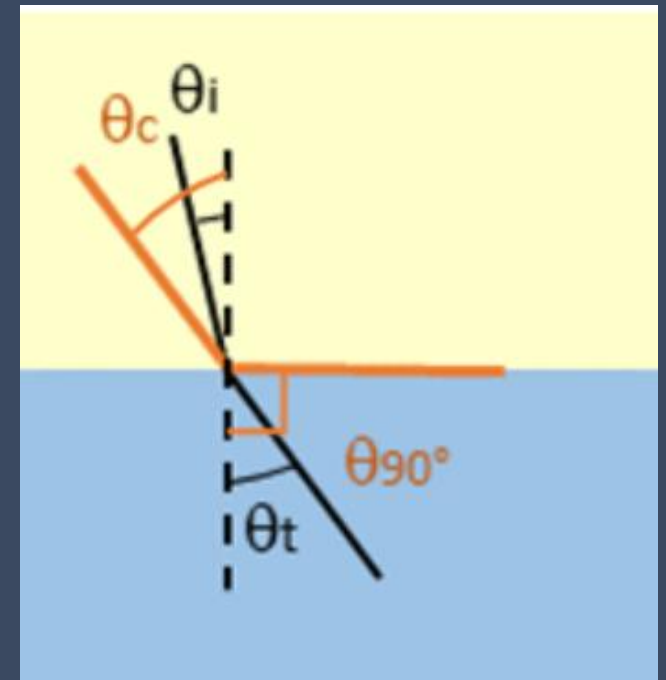
# Leyes de Snell – Descartes



$$\frac{\text{sen}(\theta_1)}{\text{sen}(\theta_2)} = \frac{V_1}{V_2}$$



$$\frac{\text{sen}(\theta_1)}{\text{sen}(\theta_n)} = \frac{V_1}{V_n}$$



Gordon Webster (1919)

# Impedancia Acústica

Resistencia que opone el medio a la propagación de una perturbación

$$Z = \rho \cdot V$$

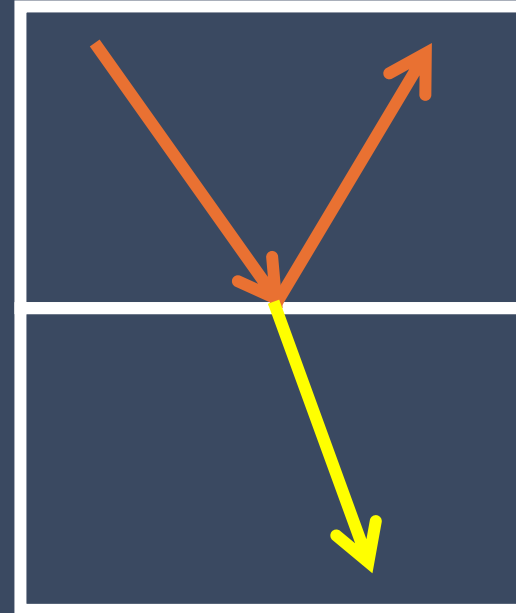
Ígneas > Calizas > Lutitas > Arenisca porosas > Arenisca con gas



# Coeficiente de reflexión

Proporción de energía incidente que se refleja

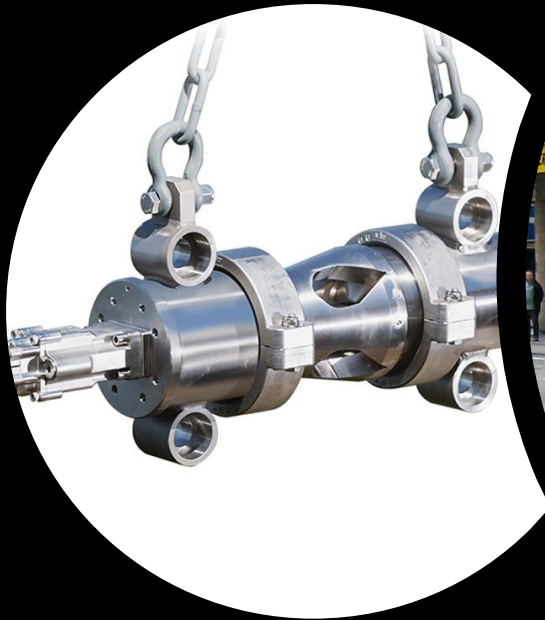
$$C_R = \frac{Z_2 - Z_1}{Z_2 + Z_1}$$



$$Z_1 = \rho_1 \cdot V_1$$

$$Z_2 = \rho_2 \cdot V_2$$

# Instrumental



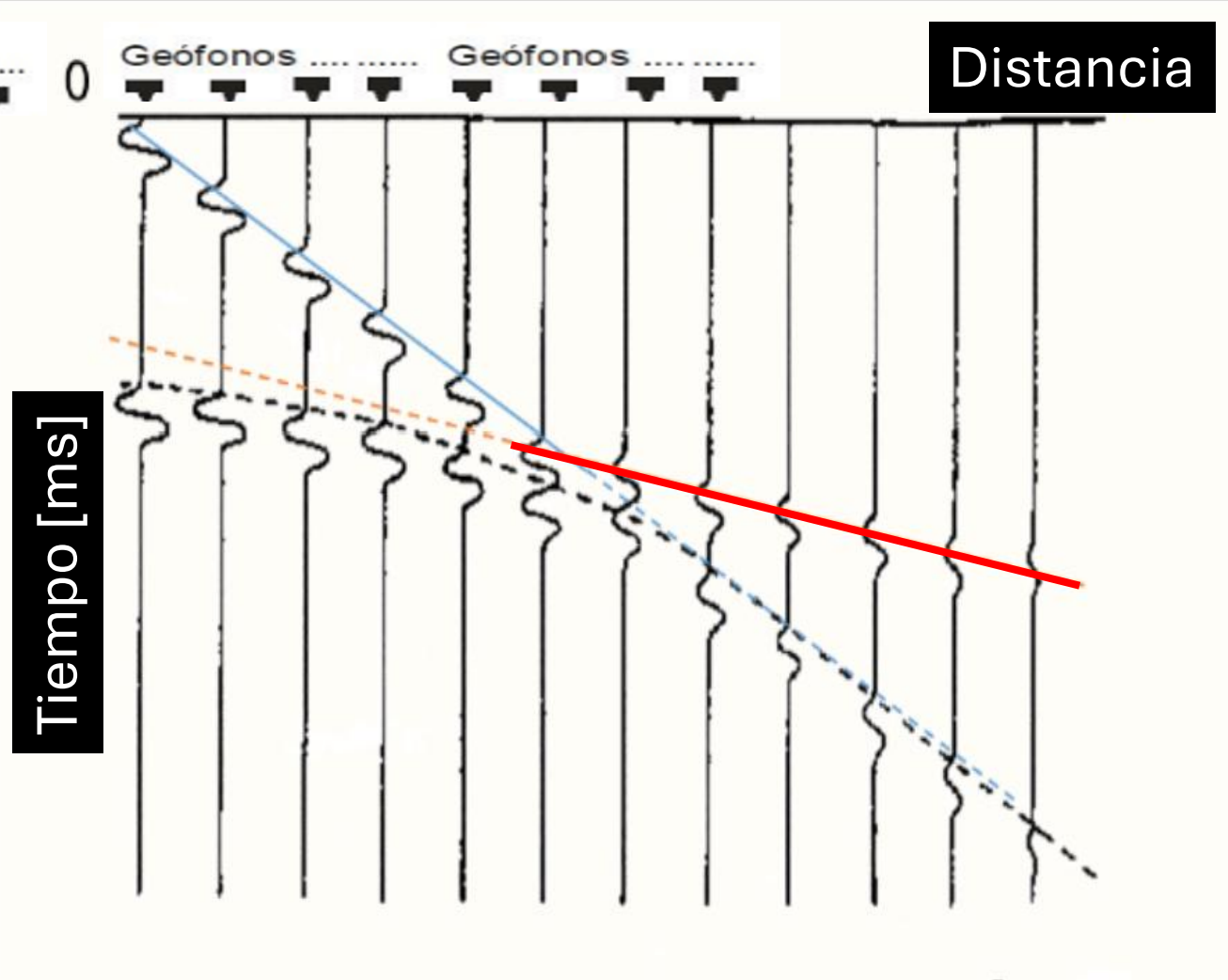
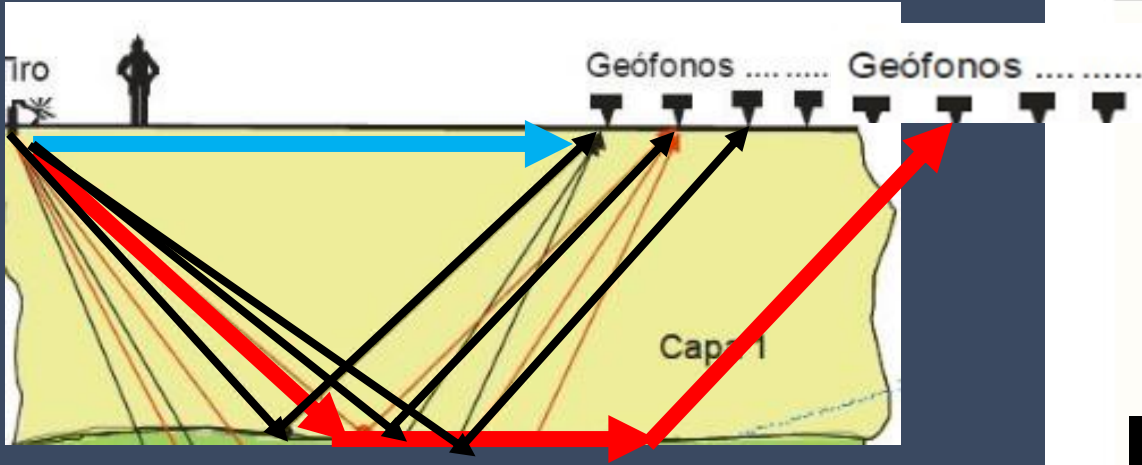
Air Gun

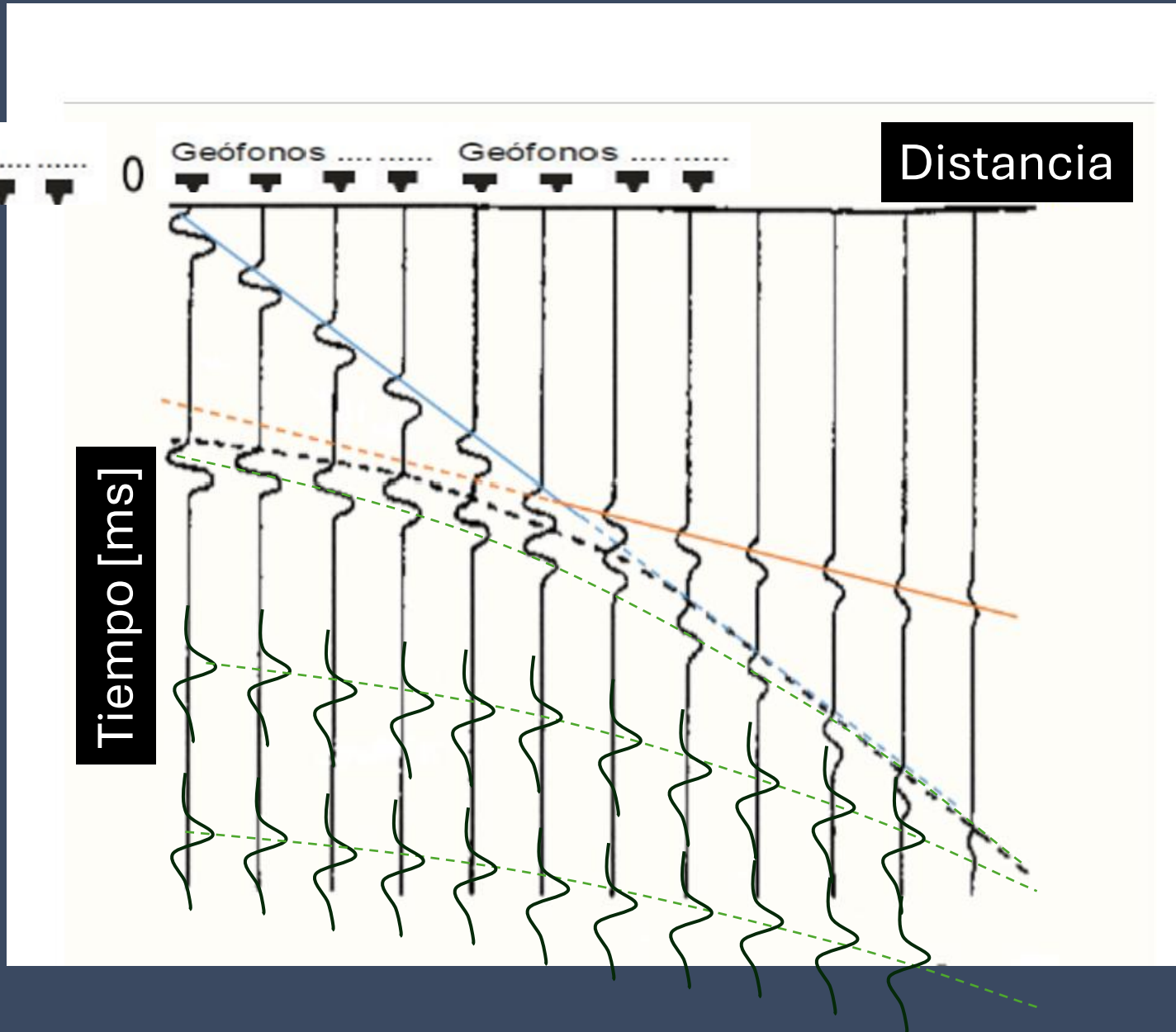
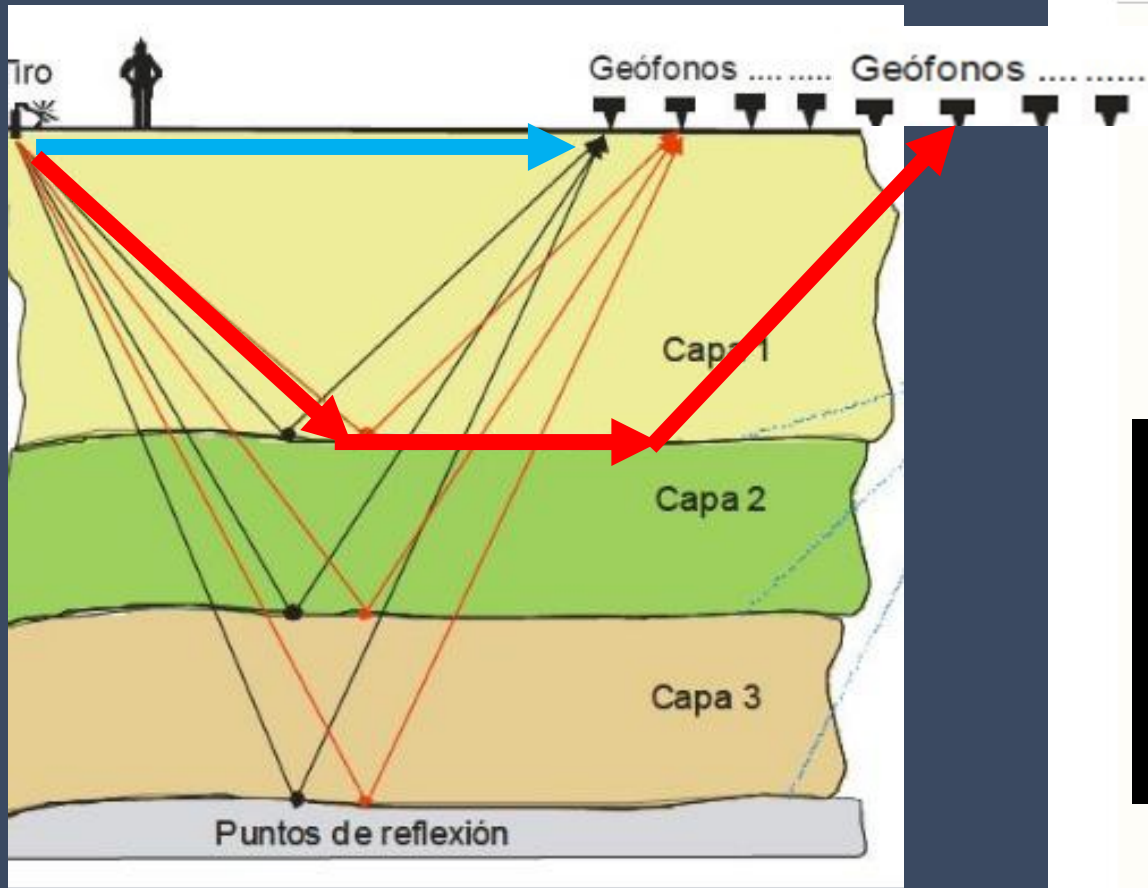


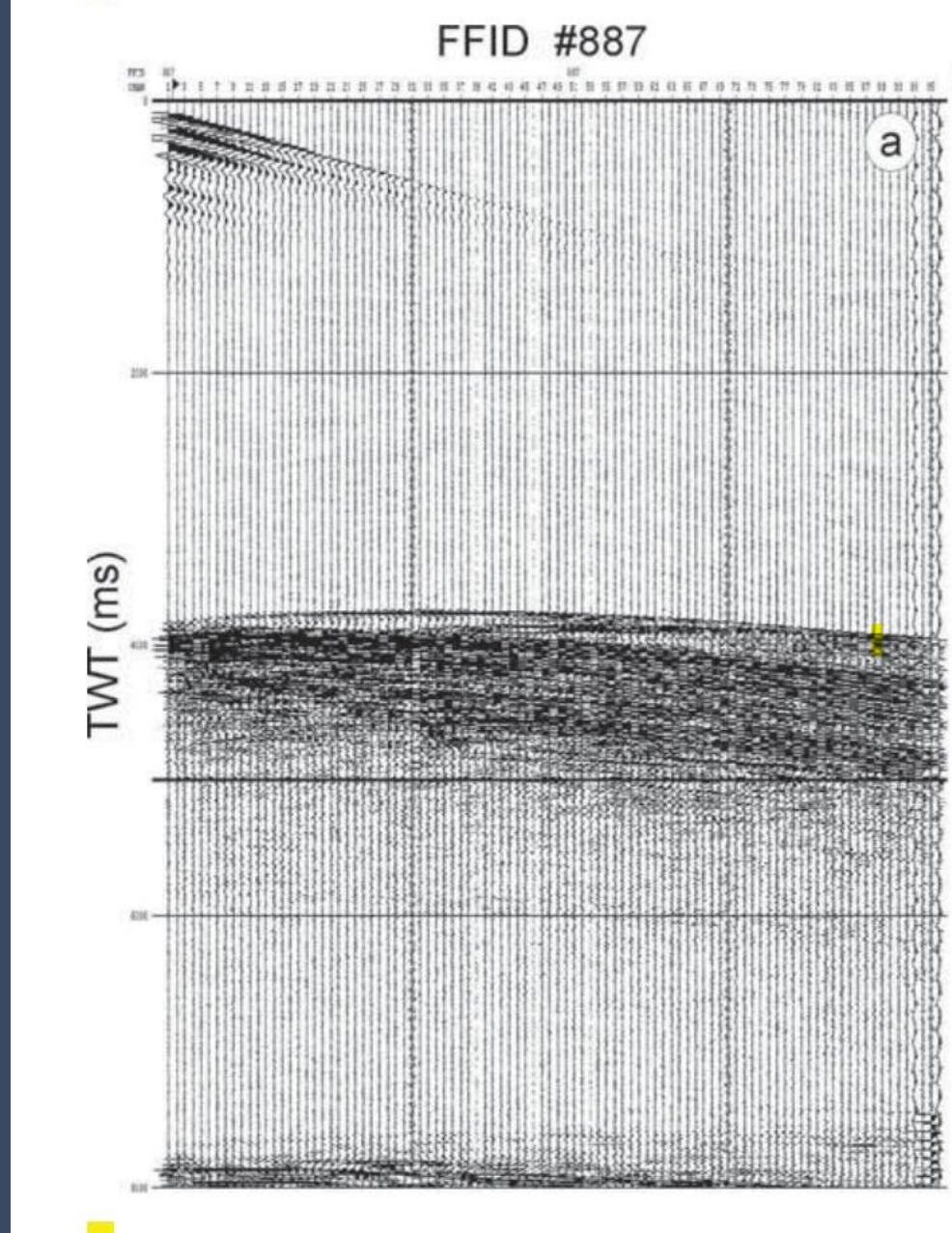
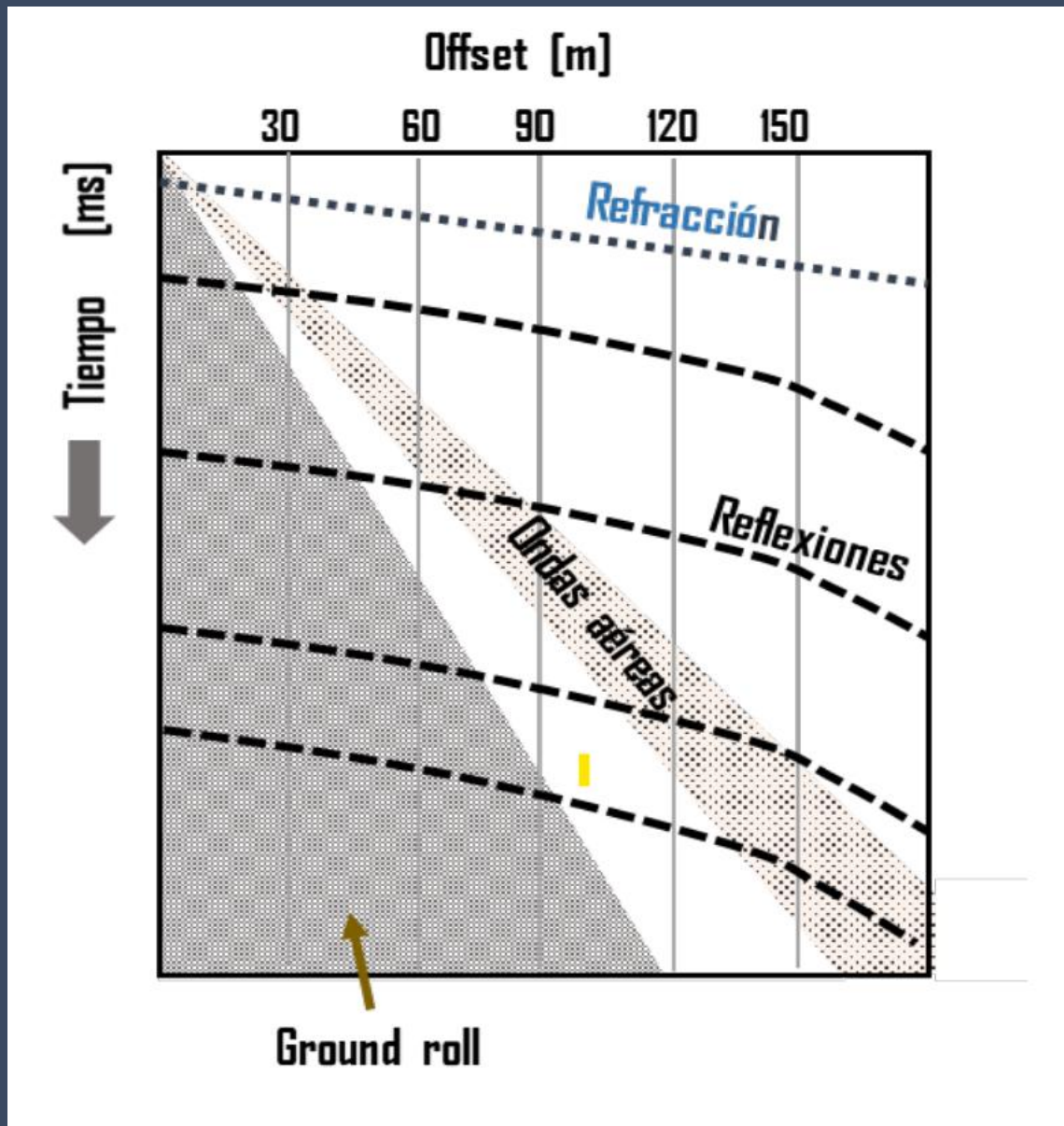
Vibroseis

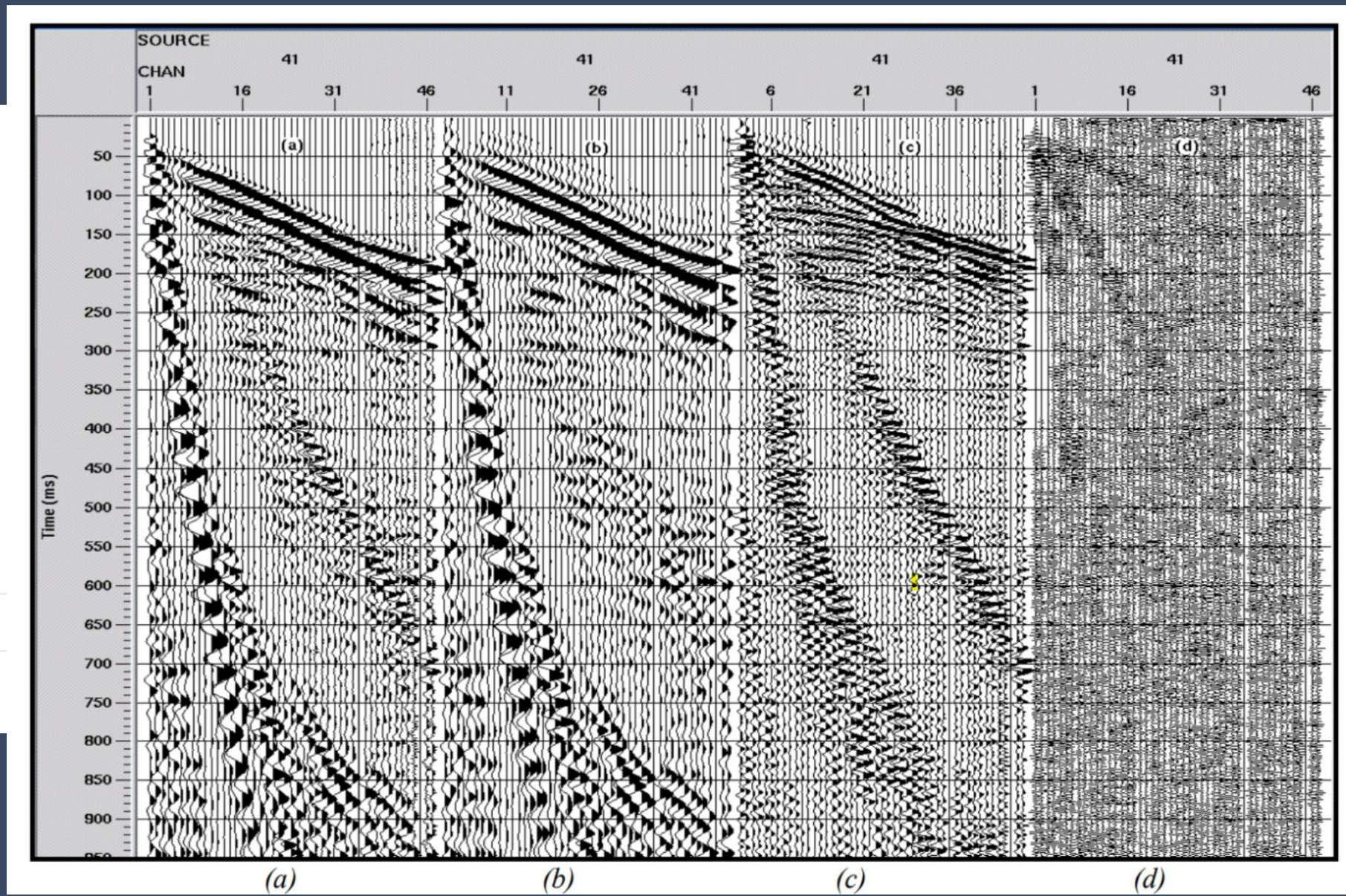
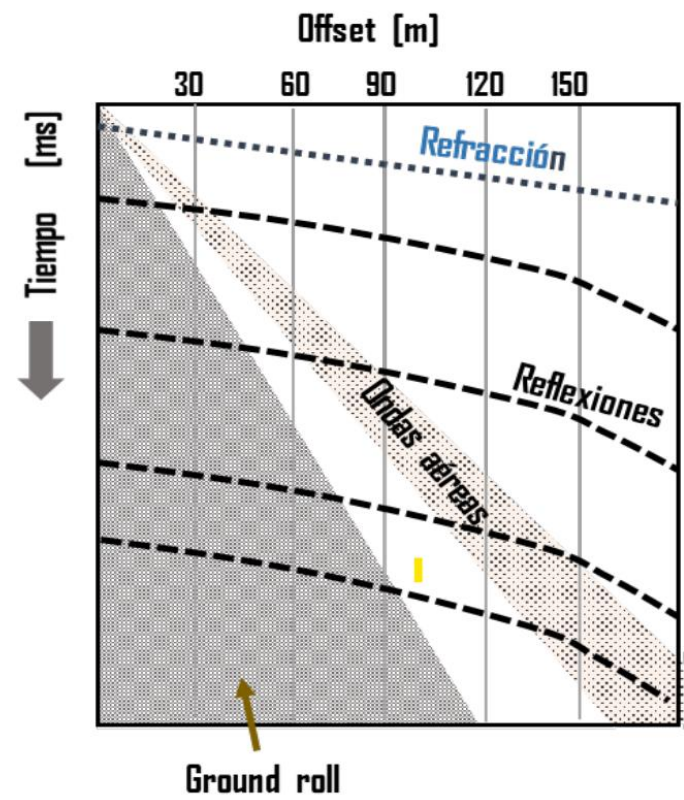


Geófonos

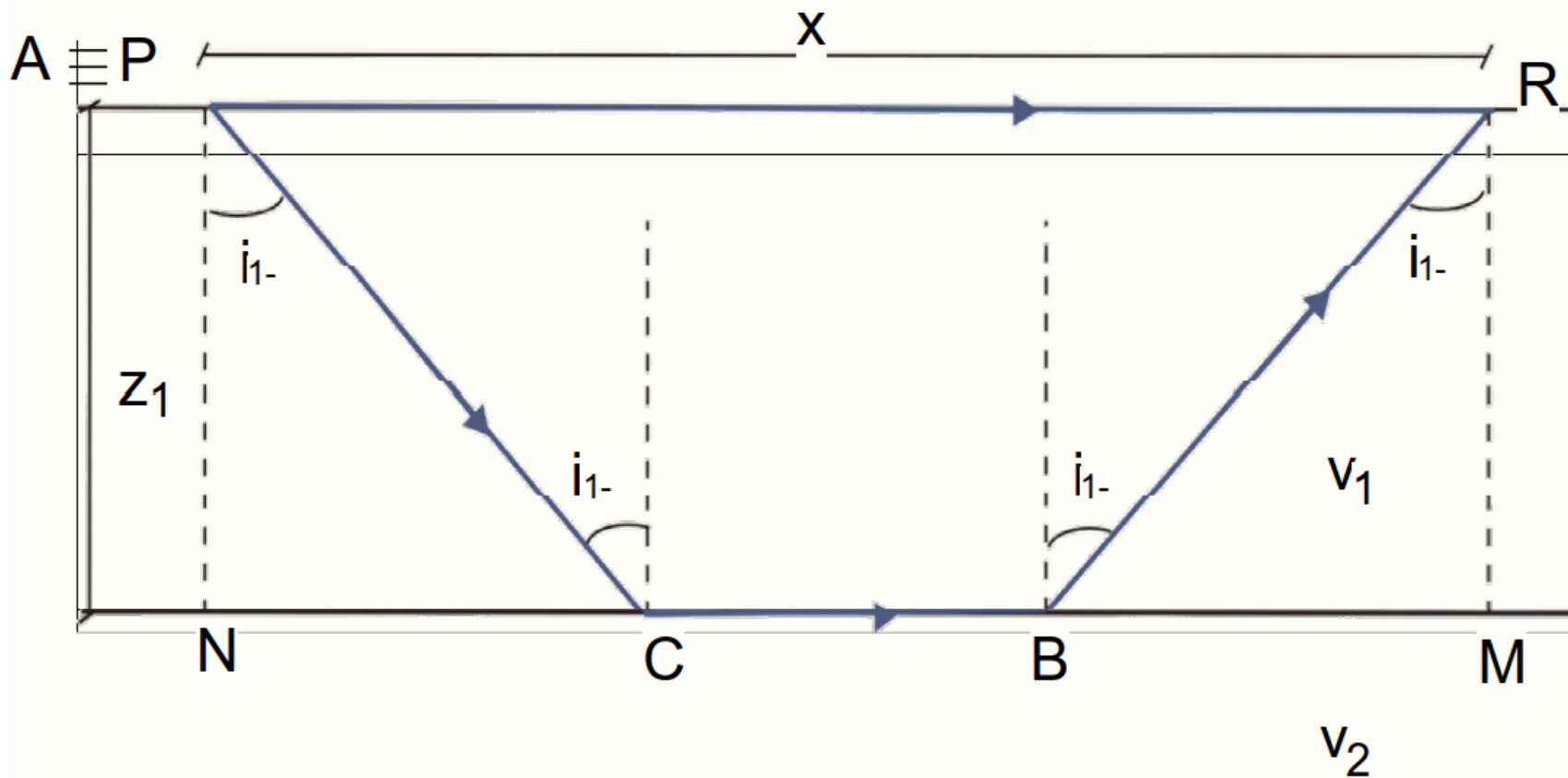








# Sísmica de Refracción



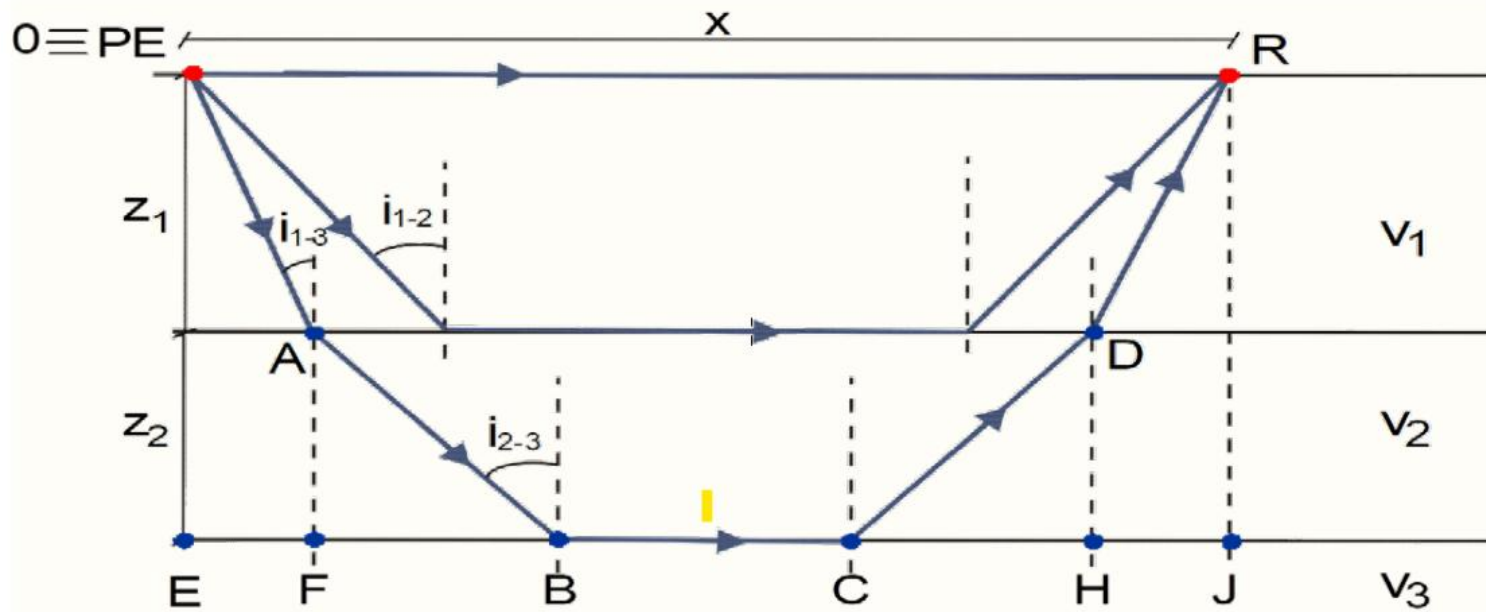
$$T_R = \frac{\overline{AC}}{v_1} + \frac{\overline{CB}}{v_2} + \frac{\overline{BR}}{v_1}$$

$$T_2 = \frac{X}{v_2} + \theta_2,$$

lo que representa una recta cuya pendiente es  $1/v_2$  y la ordenada al origen  $\theta_2$

$t = m \cdot x + d$  (expresión matemática de una recta).

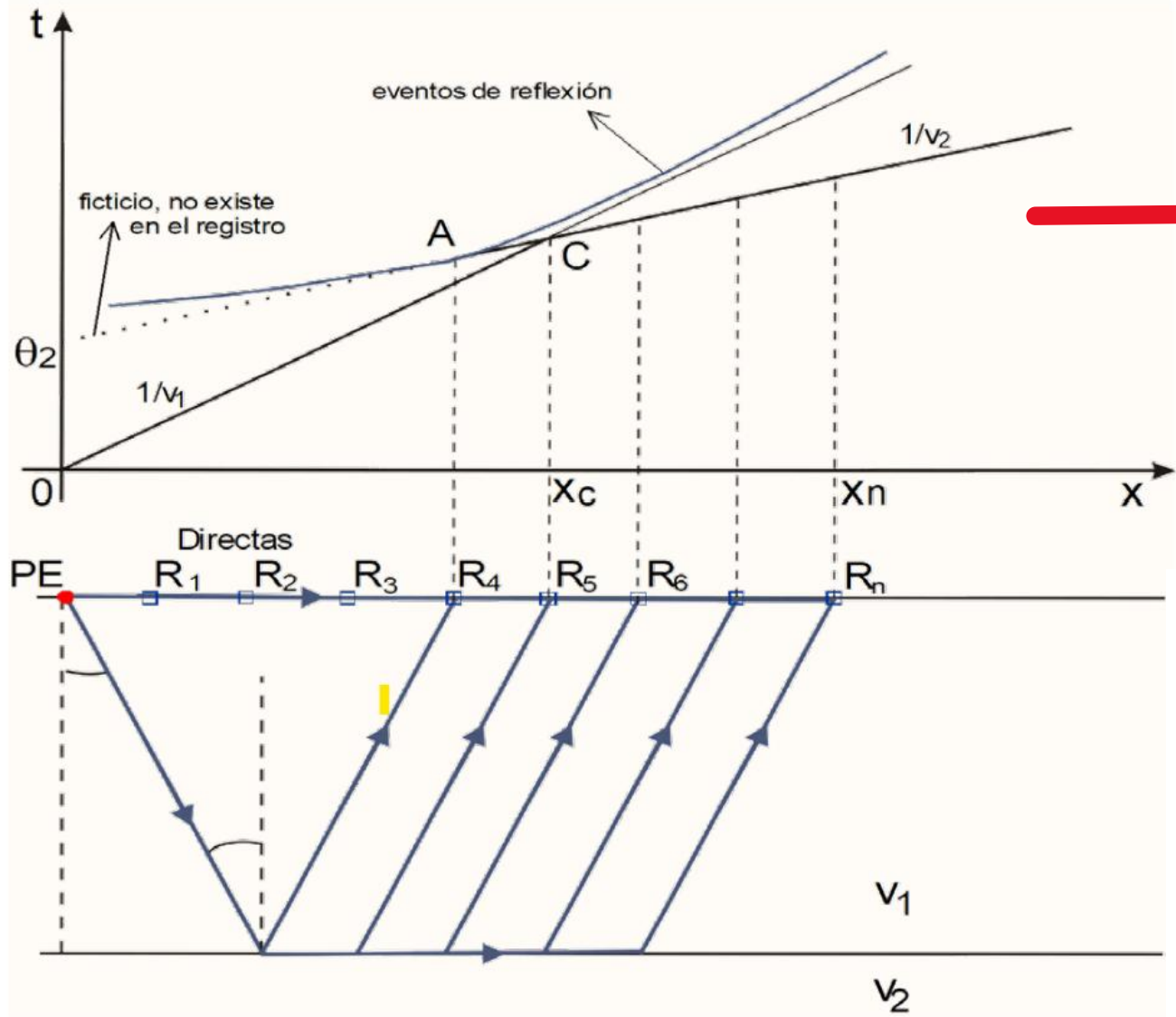
$$\theta_2 = \frac{2 \cdot z_1 \cdot \cos(i_{1-2})}{v_1}$$



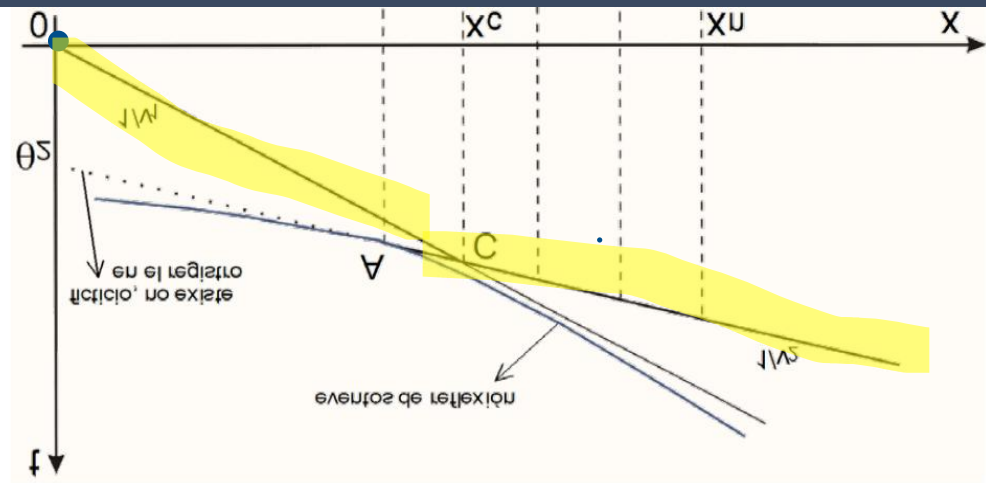
$$T_3 = \frac{x}{v_3} + \frac{2 \cdot z_1}{v_1} \cdot \cos(i_{1-3}) + \frac{2 \cdot z_2}{v_2} \cdot \cos(i_{2-3}),$$

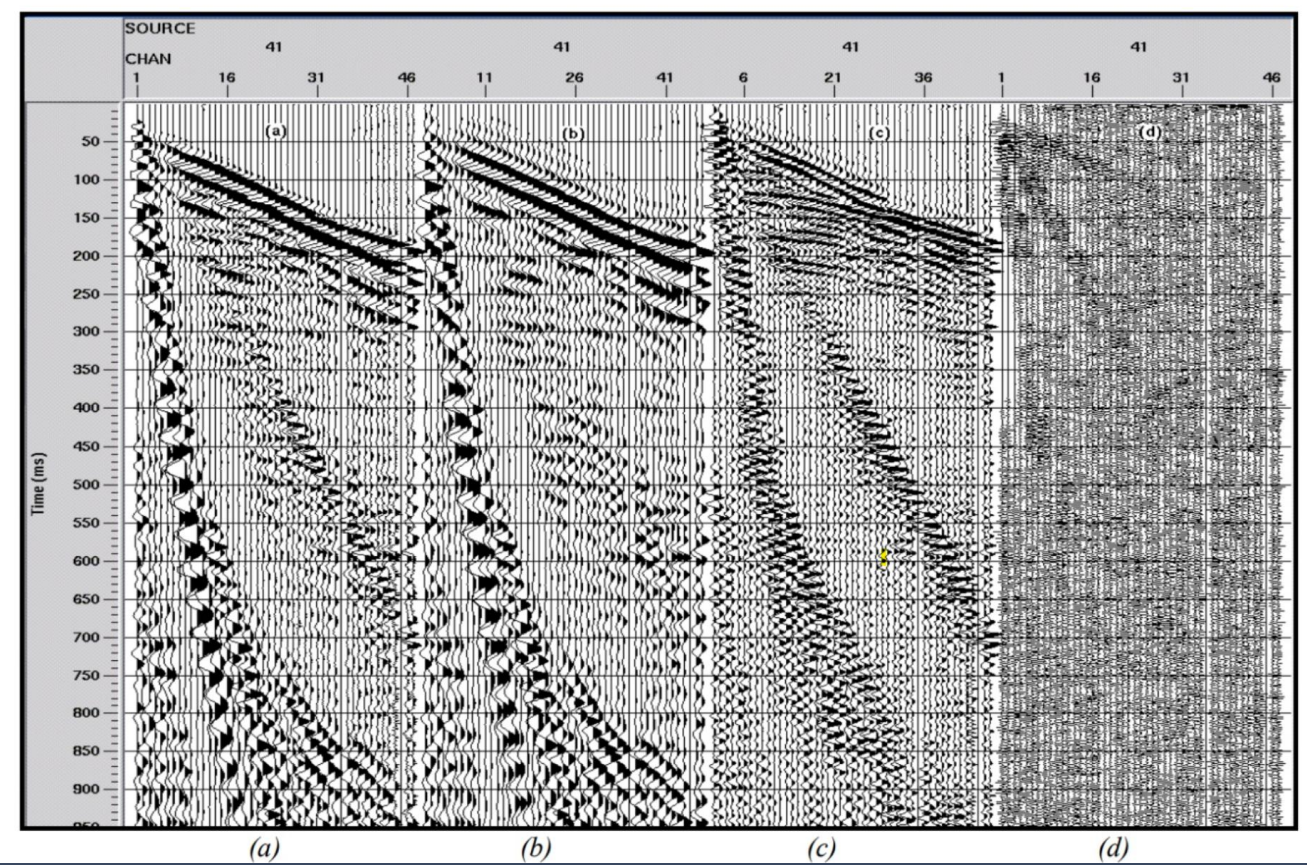
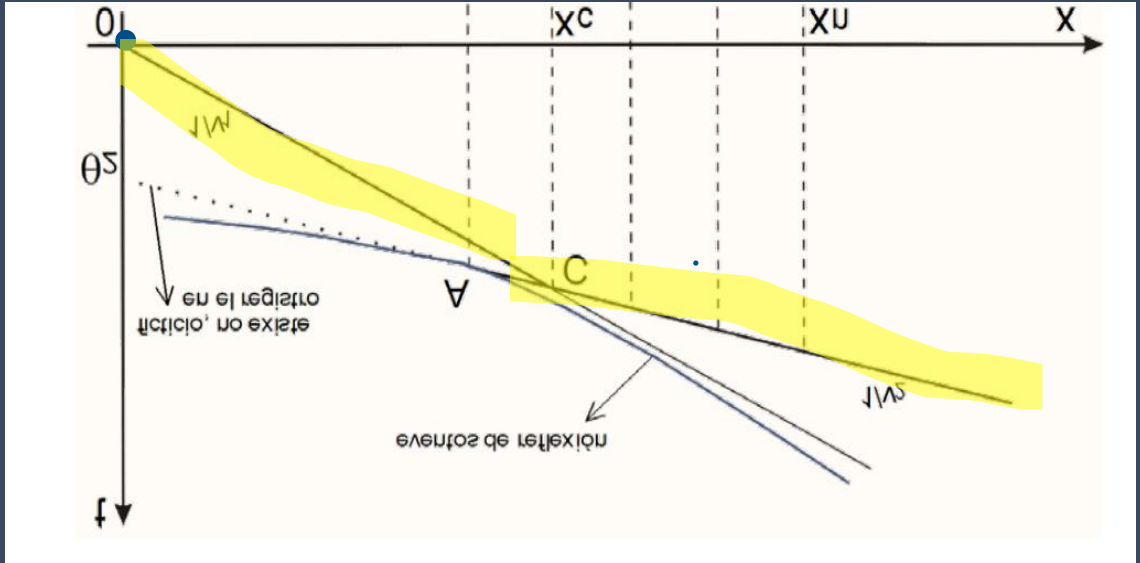
$\theta_1$

$\theta_2$



Dromocrona





¿Por qué dos?

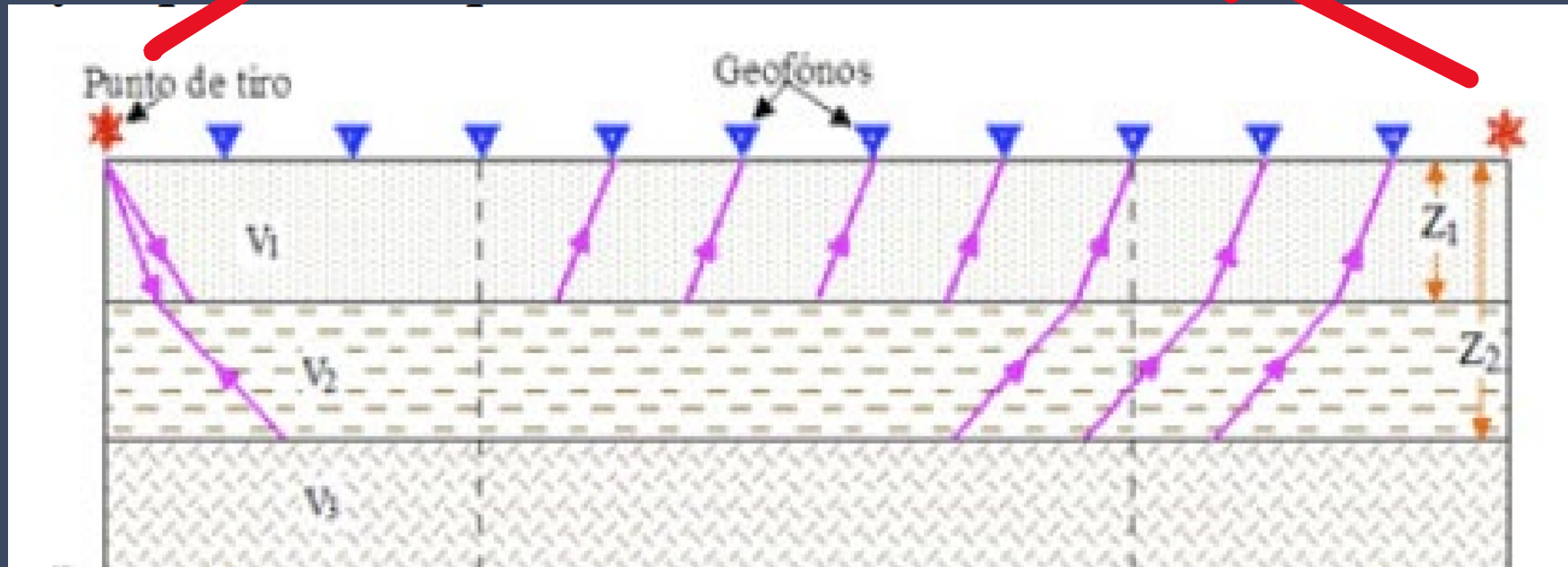
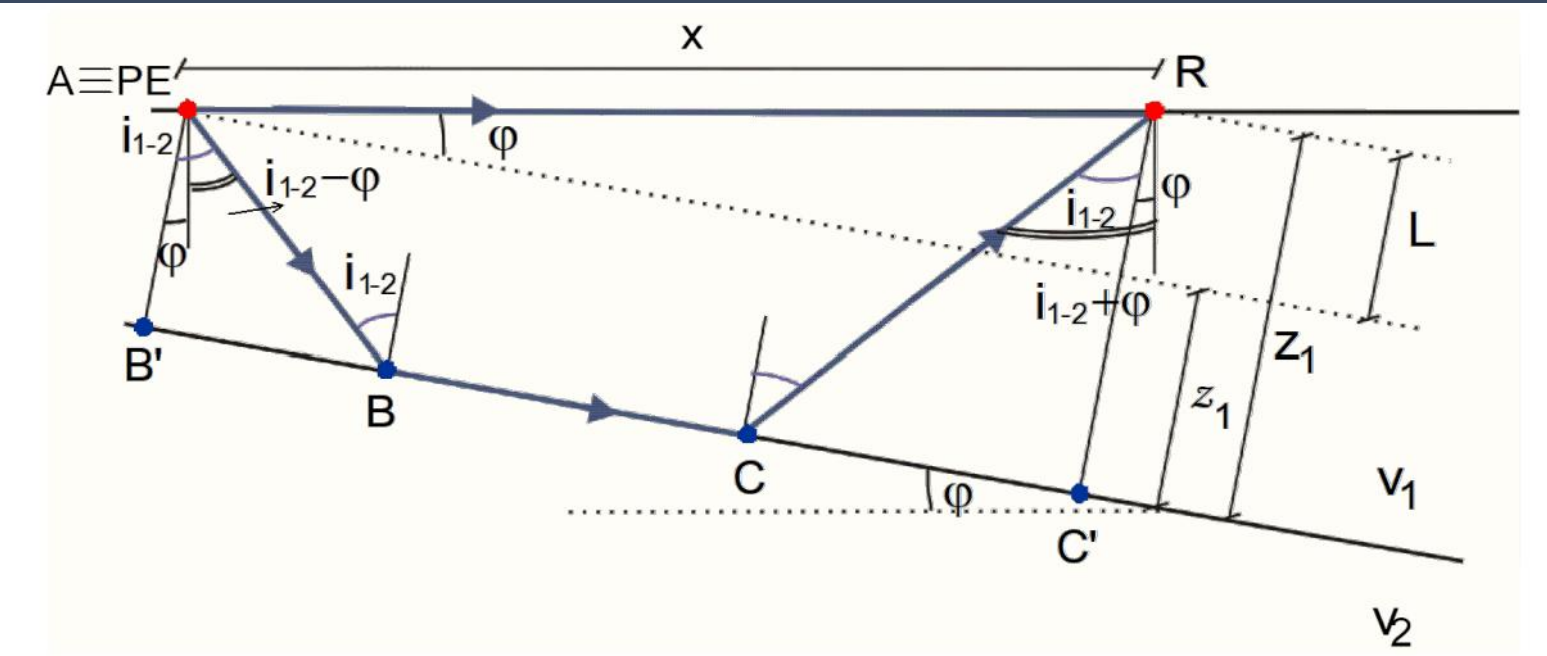


Figura N° 8: Arreglo de refracción asimétrico, con la ubicación del punto de tiro del perfil y del contraperfil. Distribución de receptores. Fuente de Imágenes: Modificado de Sheriff et al., 1991.



$$T_{2b} = \frac{2 \cdot z_1 \cdot \cos(i_{1-2})}{v_1} + \frac{x}{v_1} \cdot \text{sen}(i_{1-2} + \varphi), \text{ llamando velocidad aparente de bajada a: } v_{2b} = \frac{v_1}{\text{sen}(i_{1-2} + \varphi)}$$

este término es  $\theta_{2b}$

$$T_{2s} = \frac{2 \cdot z_1 \cdot \cos(i_{1-2})}{v_1} + \frac{x}{v_1} \cdot \text{sen}(i_{1-2} - \varphi), \text{ llamando velocidad aparente de subida a: } v_{2s} = \frac{v_1}{\text{sen}(i_{1-2} - \varphi)}$$

este término es  $\theta_{2s}$

$$v_{2b} = \frac{v_1}{\text{sen}(i_{1-2} + \varphi)} < v_{2\text{Real}} = \frac{v_1}{\text{sen}(i_{1-2})} < v_{2s} = \frac{v_1}{\text{sen}(i_{1-2} - \varphi)}$$

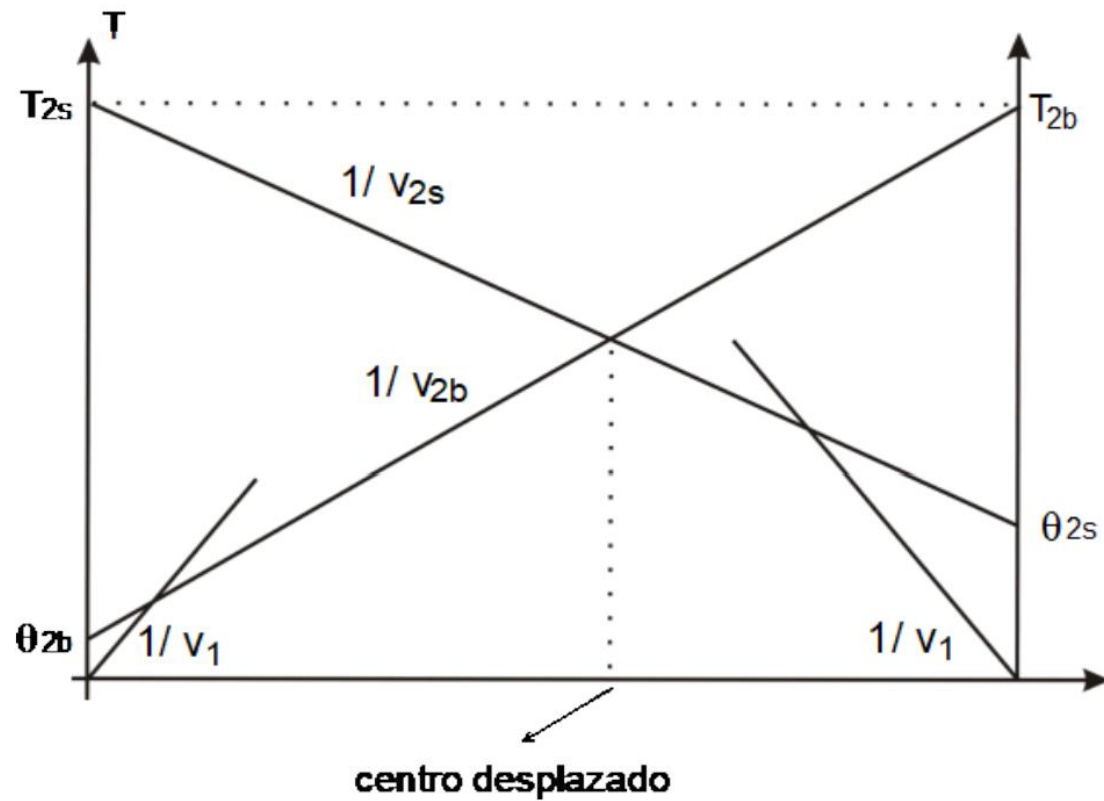


Figura N°13: Dromocrona del Perfil y contraperfil para un sistema de 1 capa inclinada.

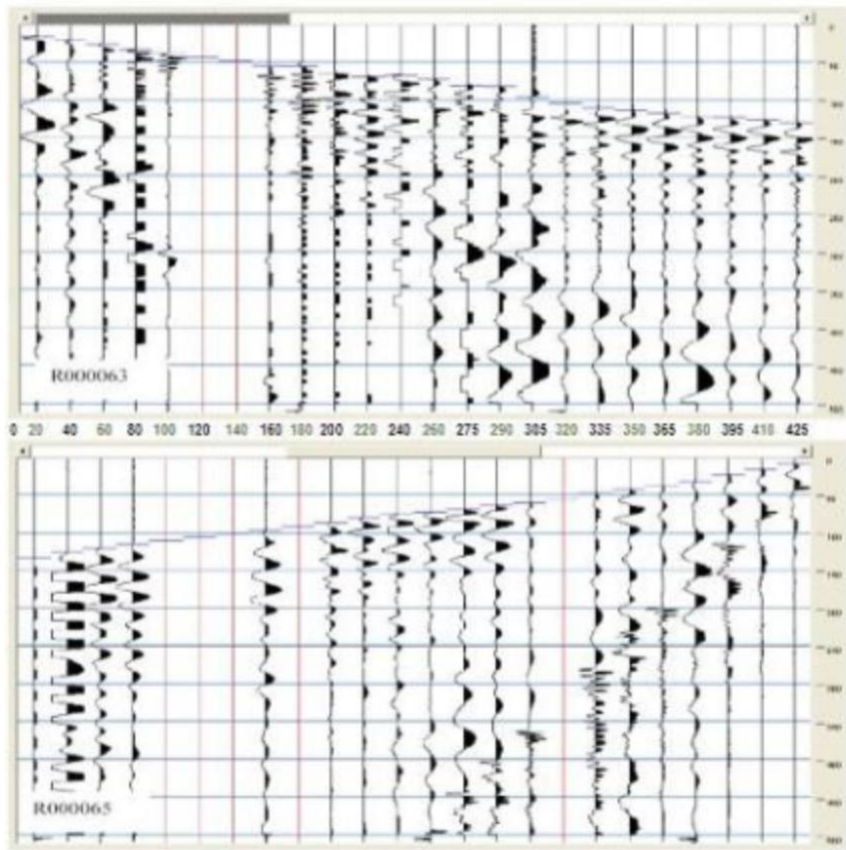
$$v_{2b} = \frac{v_1}{\text{sen}(i_{1-2} + \varphi)}$$

<

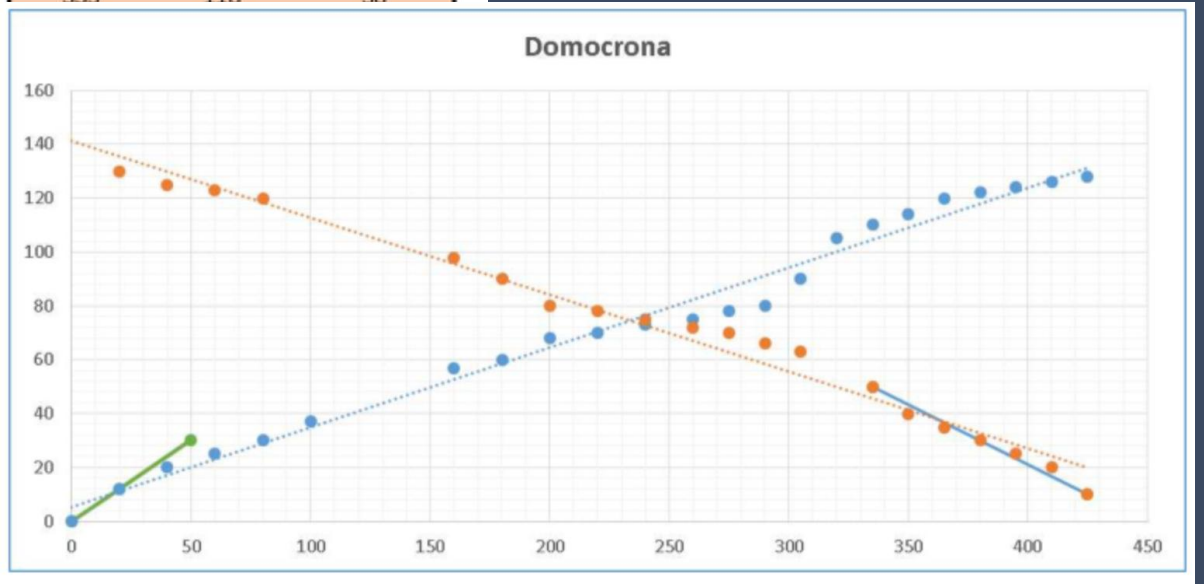
$$v_{2\text{Real}} = \frac{v_1}{\text{sen}(i_{1-2})}$$

<

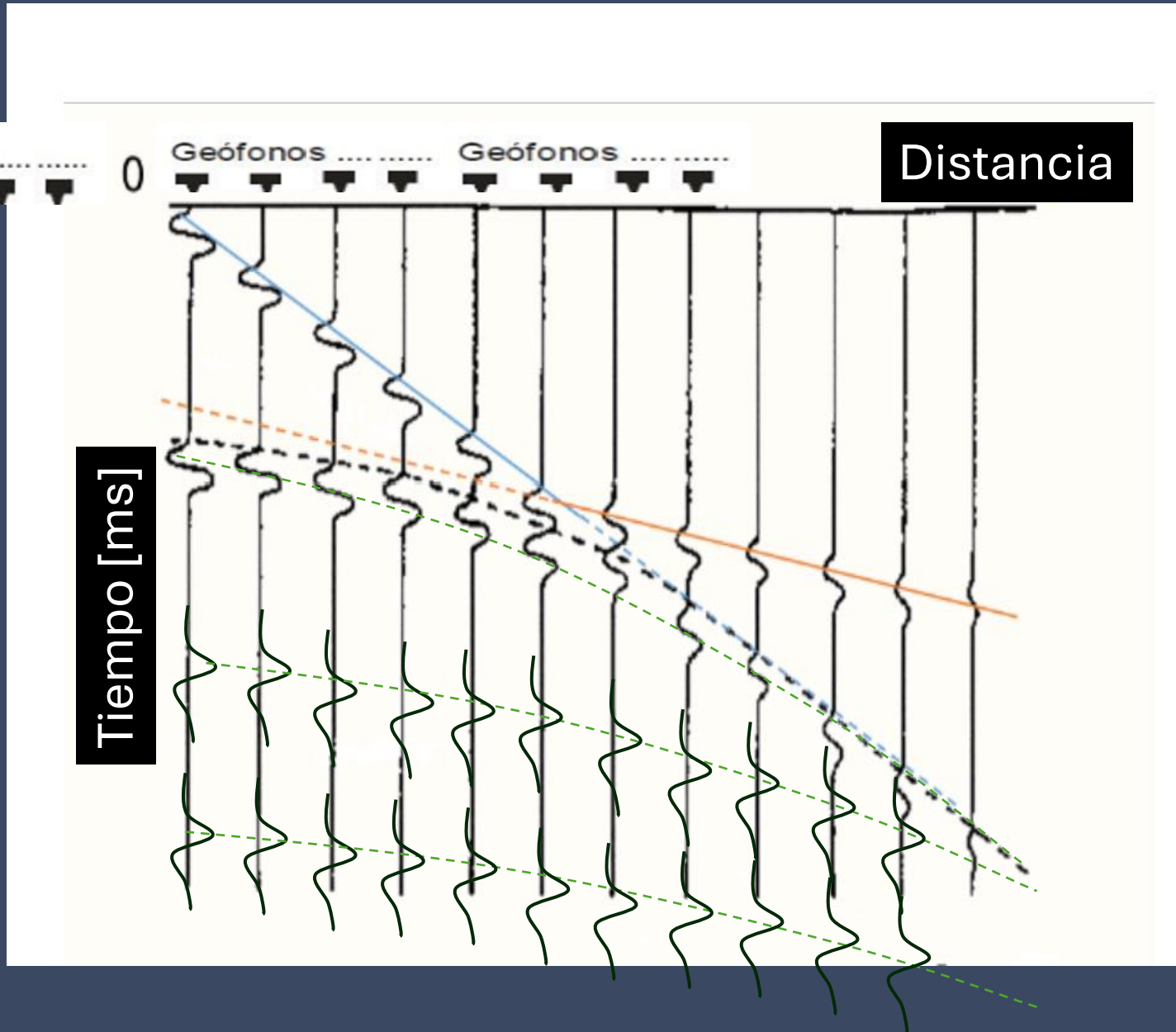
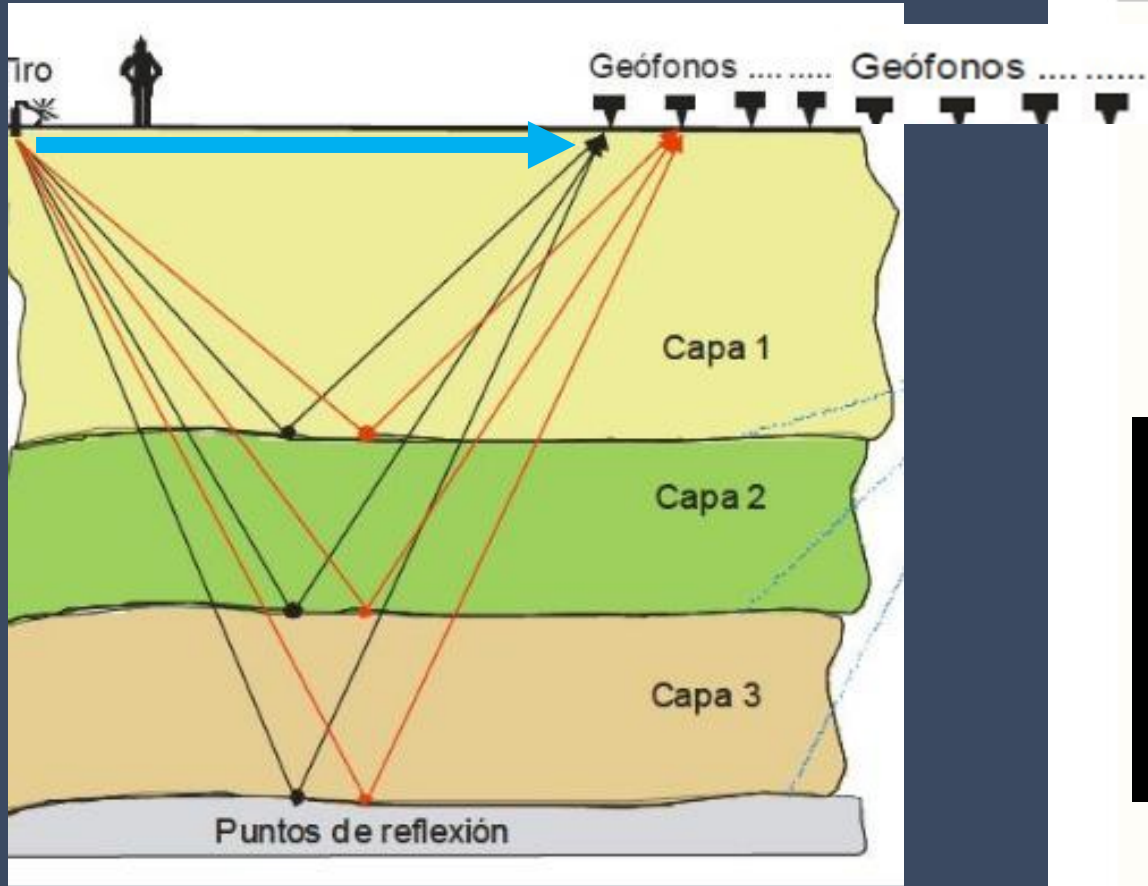
$$v_{2s} = \frac{v_1}{\text{sen}(i_{1-2} - \varphi)}$$



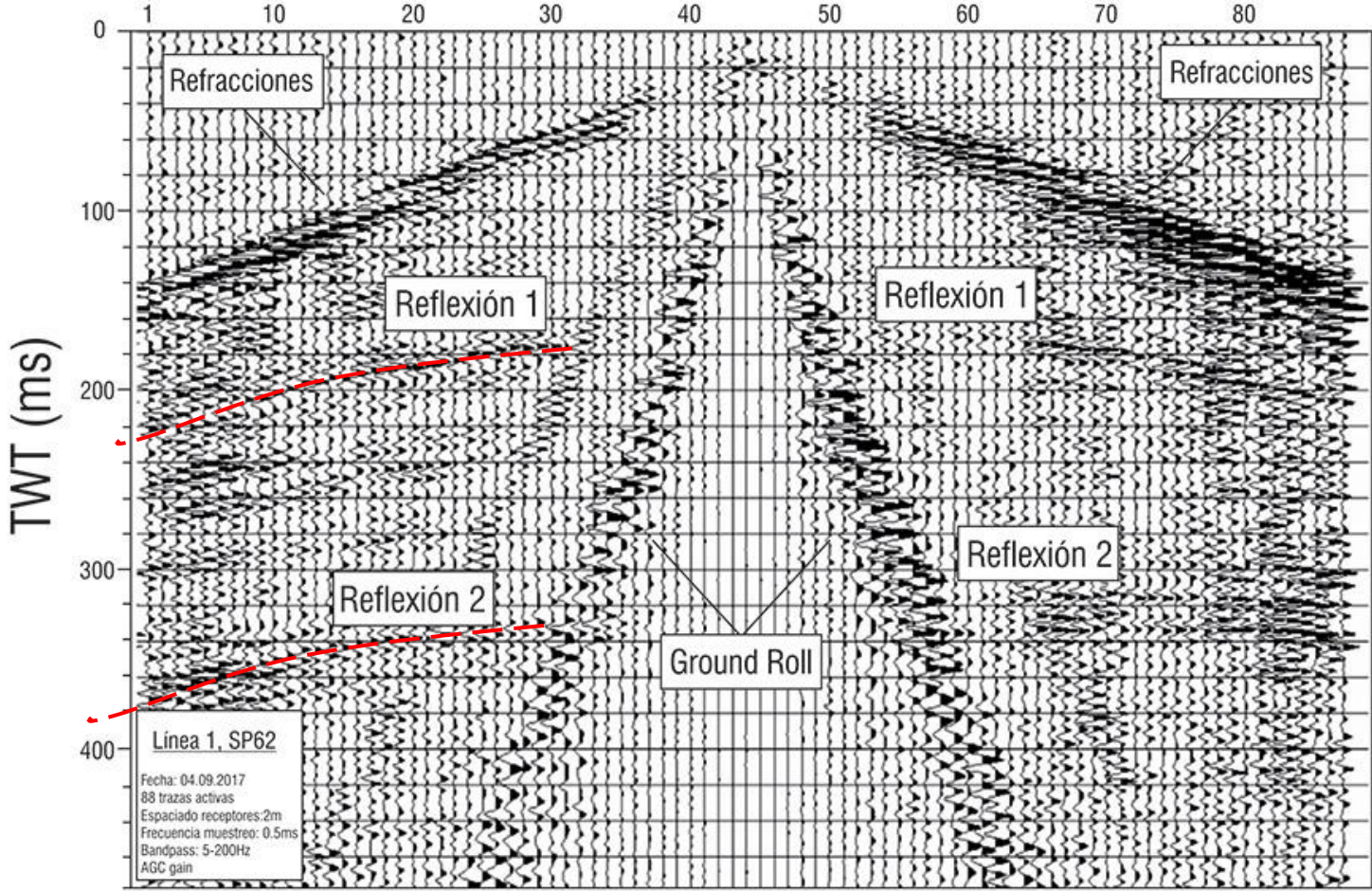
Distancia	Tiempo	
	Perfil	Contra Perfil
0	0	
20	12	130
40	20	125
60	25	123
80	30	120
100	37	
120		
140		
160	57	98
180	60	90
200	68	80
220	70	78
240	73	75
260	75	72
275	78	70
290	80	66
305	90	63
320	105	
335	110	50

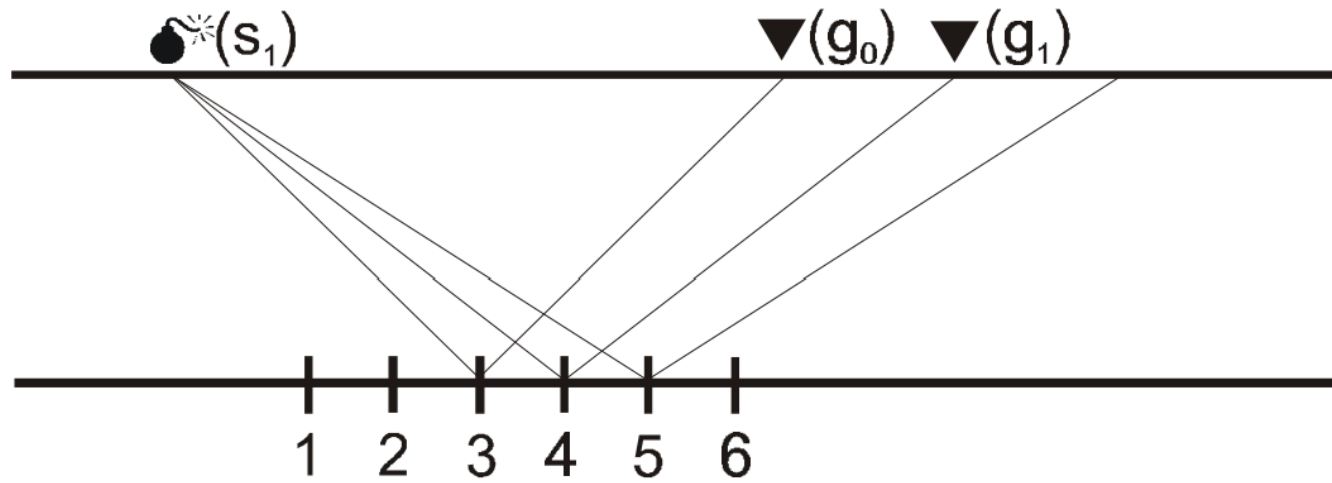


# Sísmica de Reflexión

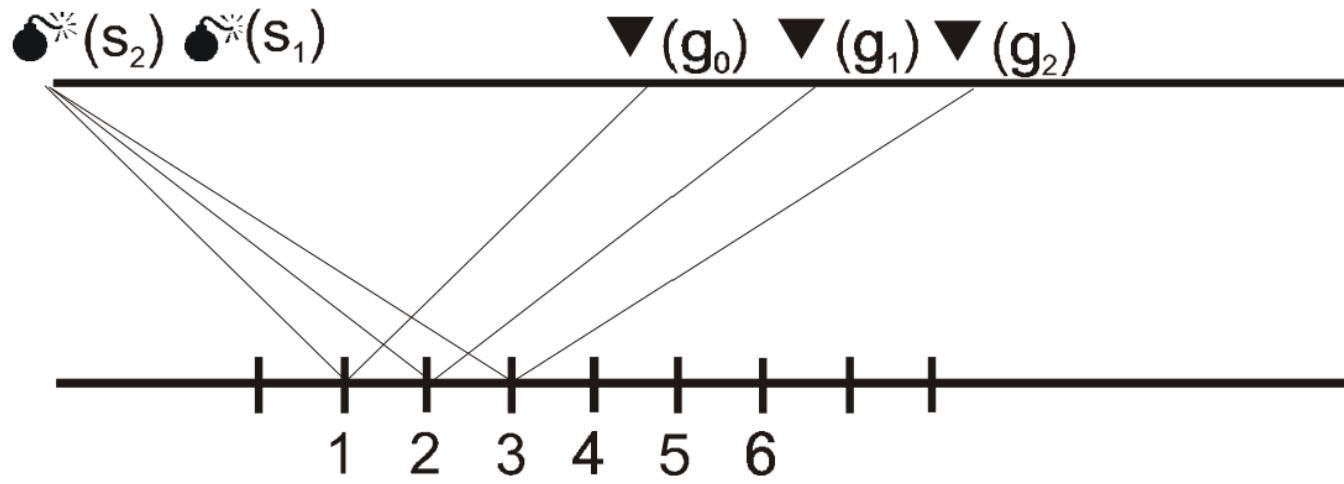
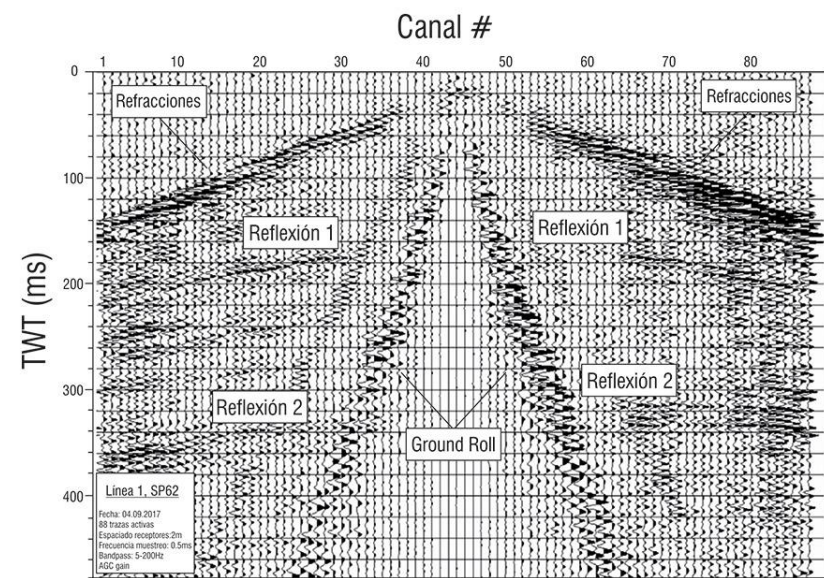


# Canal #

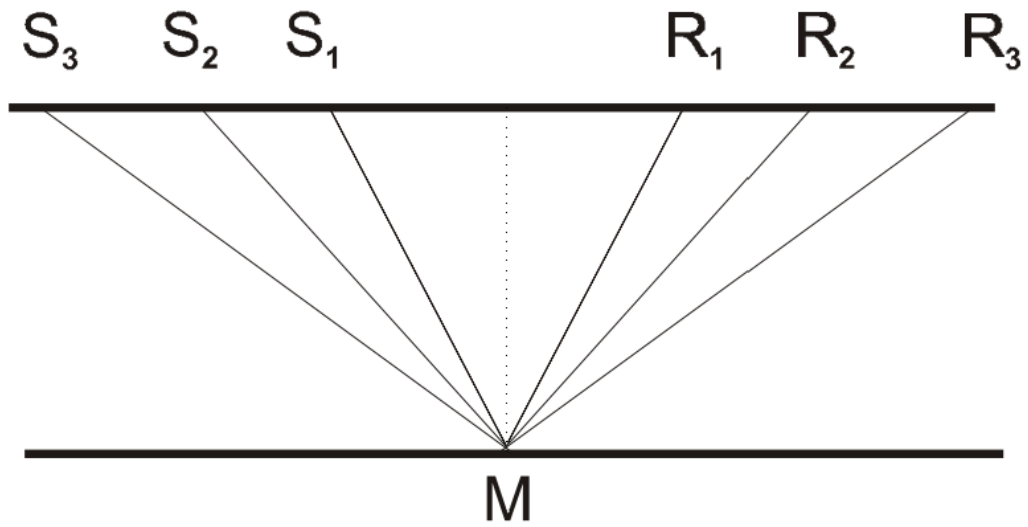




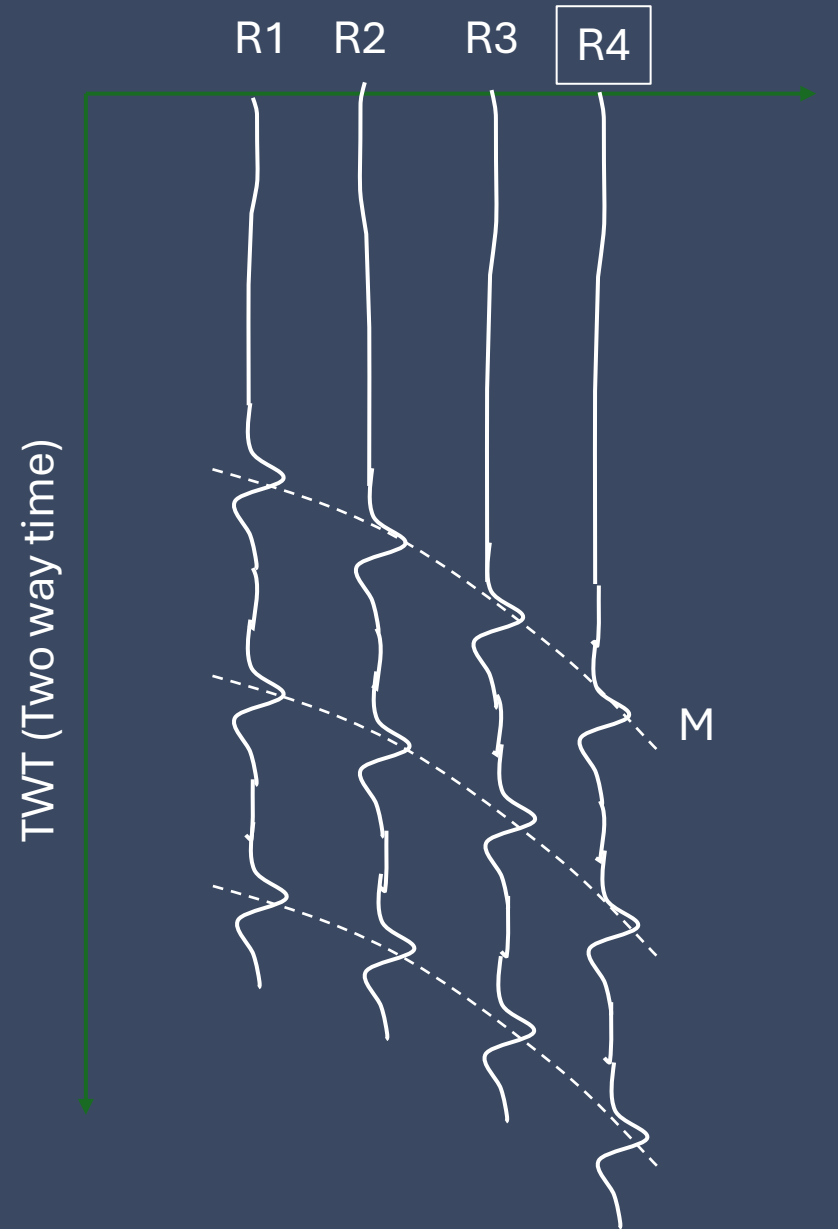
**Figura b**



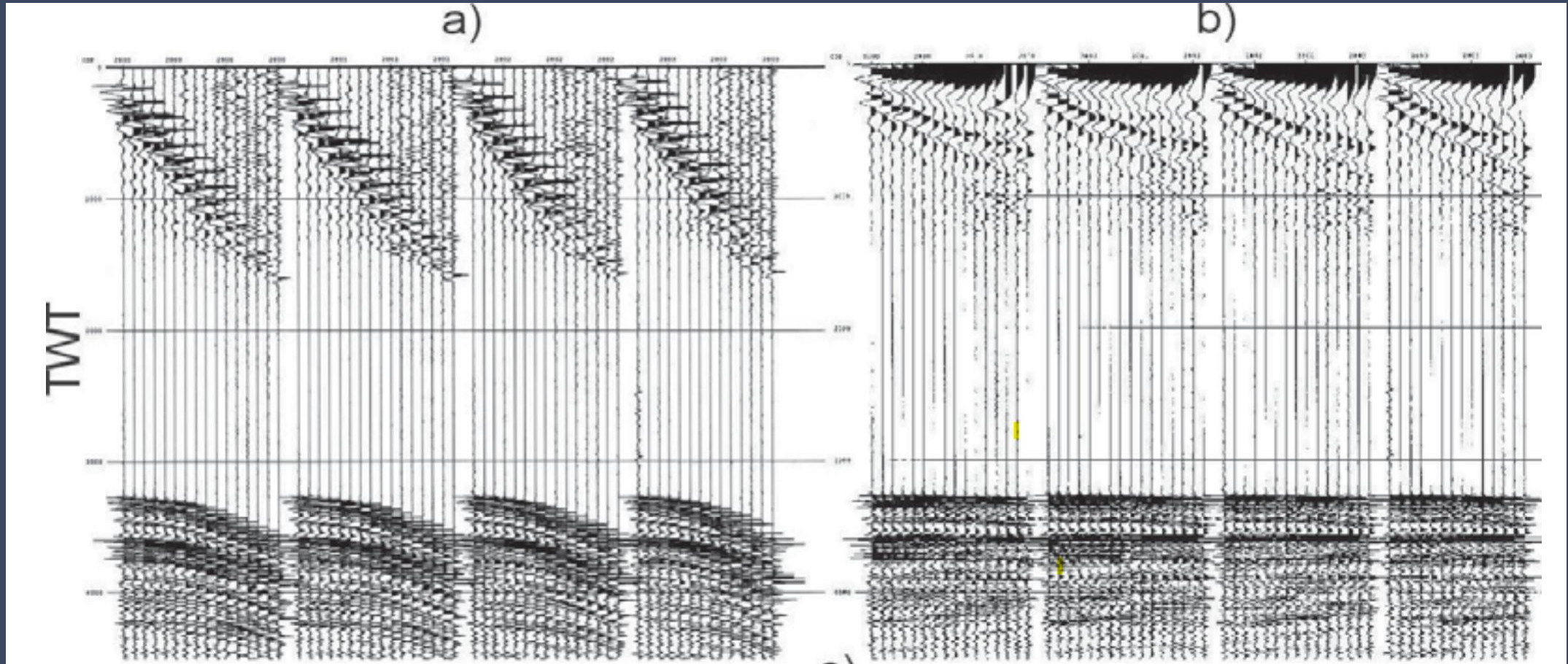
**Figura c**



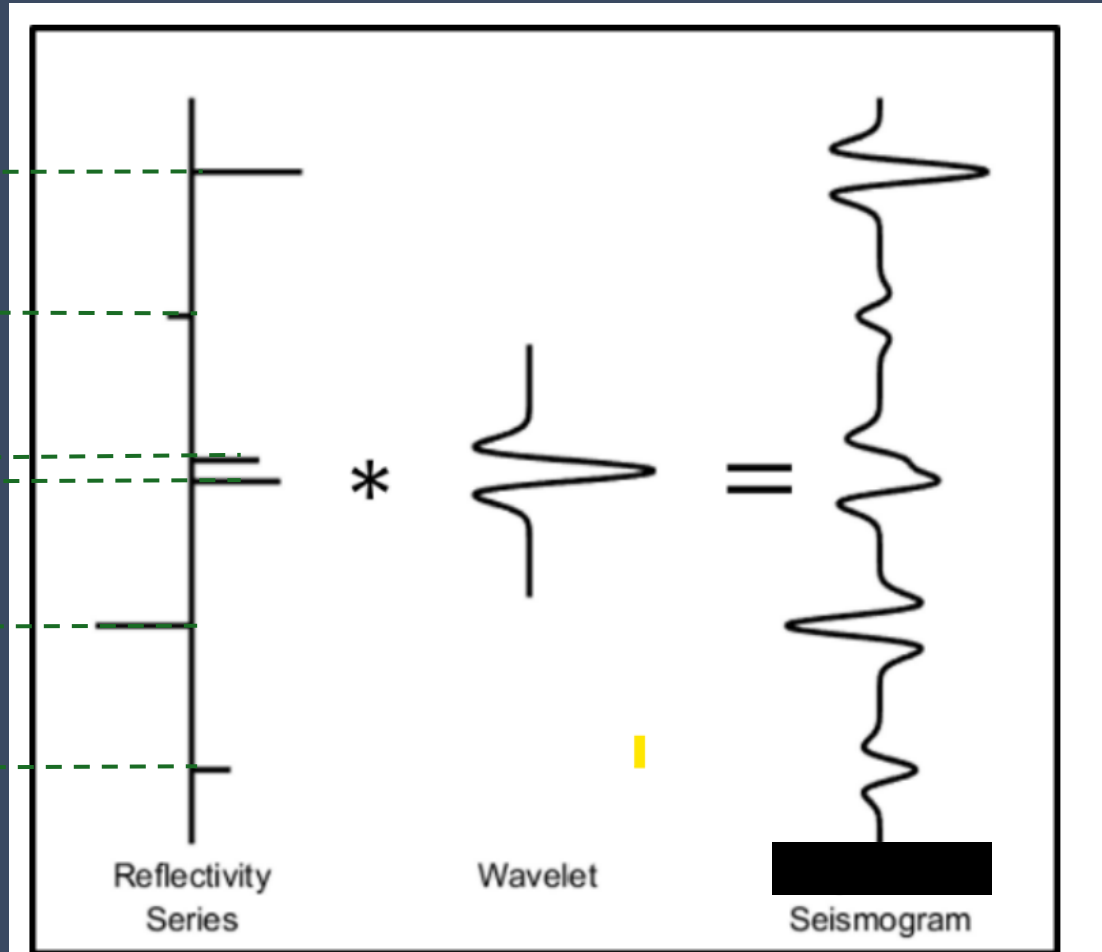
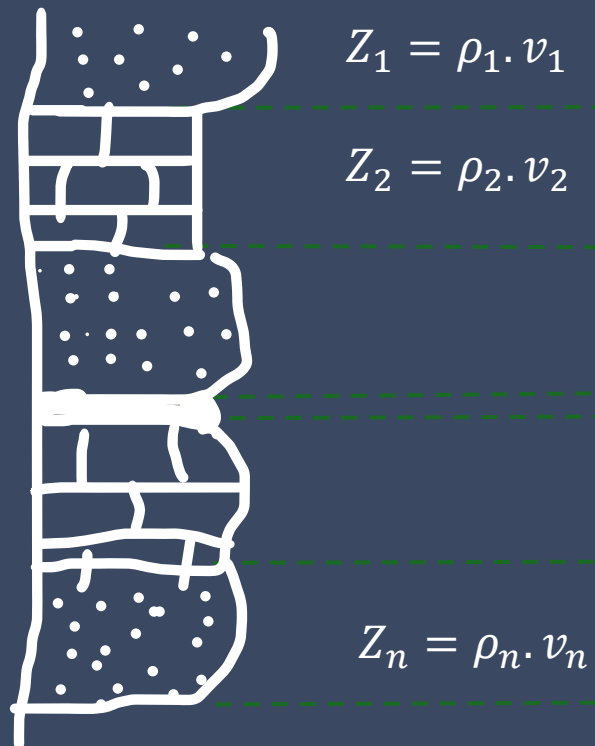
$$t^2(x) = t^2(0) + \frac{x^2}{v^2}$$



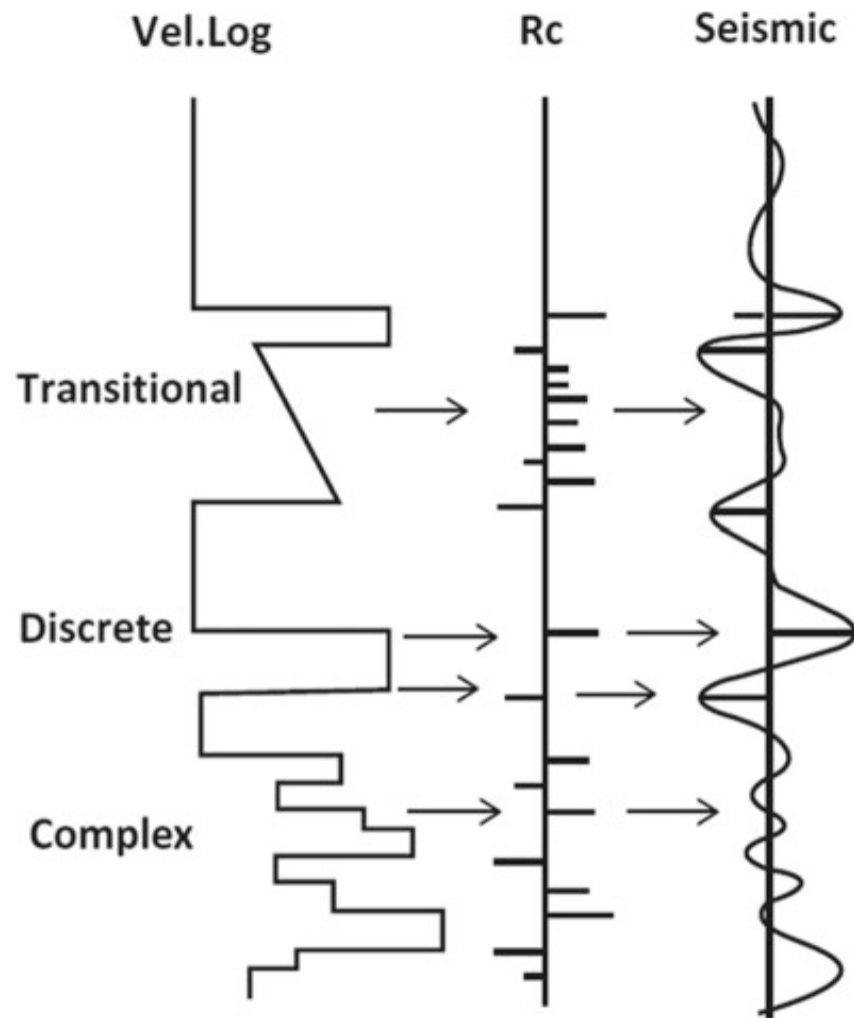
# Correcciones NMO (Normal Move Out) y Stacking



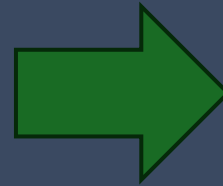
# Convolución - Deconvolución



**Figure 1.** Synthetic seismogram modeling based on Eq. 1.



## Resolución Vertical

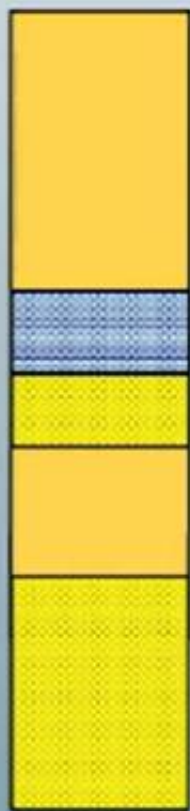


*Resolución: capacidad de separar dos rasgos distintos en tiempo (profundidad) y distancia lateral (Nanda, 2021).*

**Fig. 10** Schematic showing the different types of reflectors. A 'discrete' reflector causes top and bottom reflections, resolvable with distinctive polarity and exact arrival time. The 'transitional' and 'complex' reflectors are composite events of several closely spaced beds with uncertain signage of polarity and delayed arrival time

**Figure 2.29: Schematic representation of the convolutional theorem**

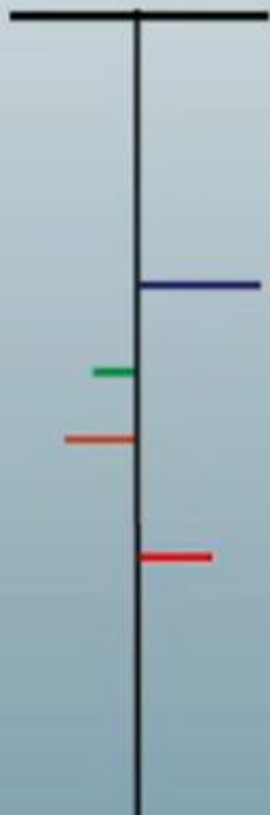
*Lithology*



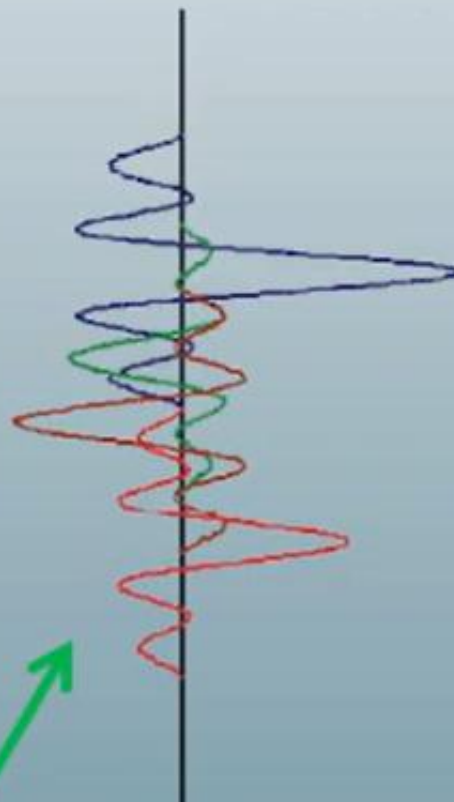
*Z*



*-ve*  $R_0$  *+ve*



*Individual Reflections*



*Convolved Response*



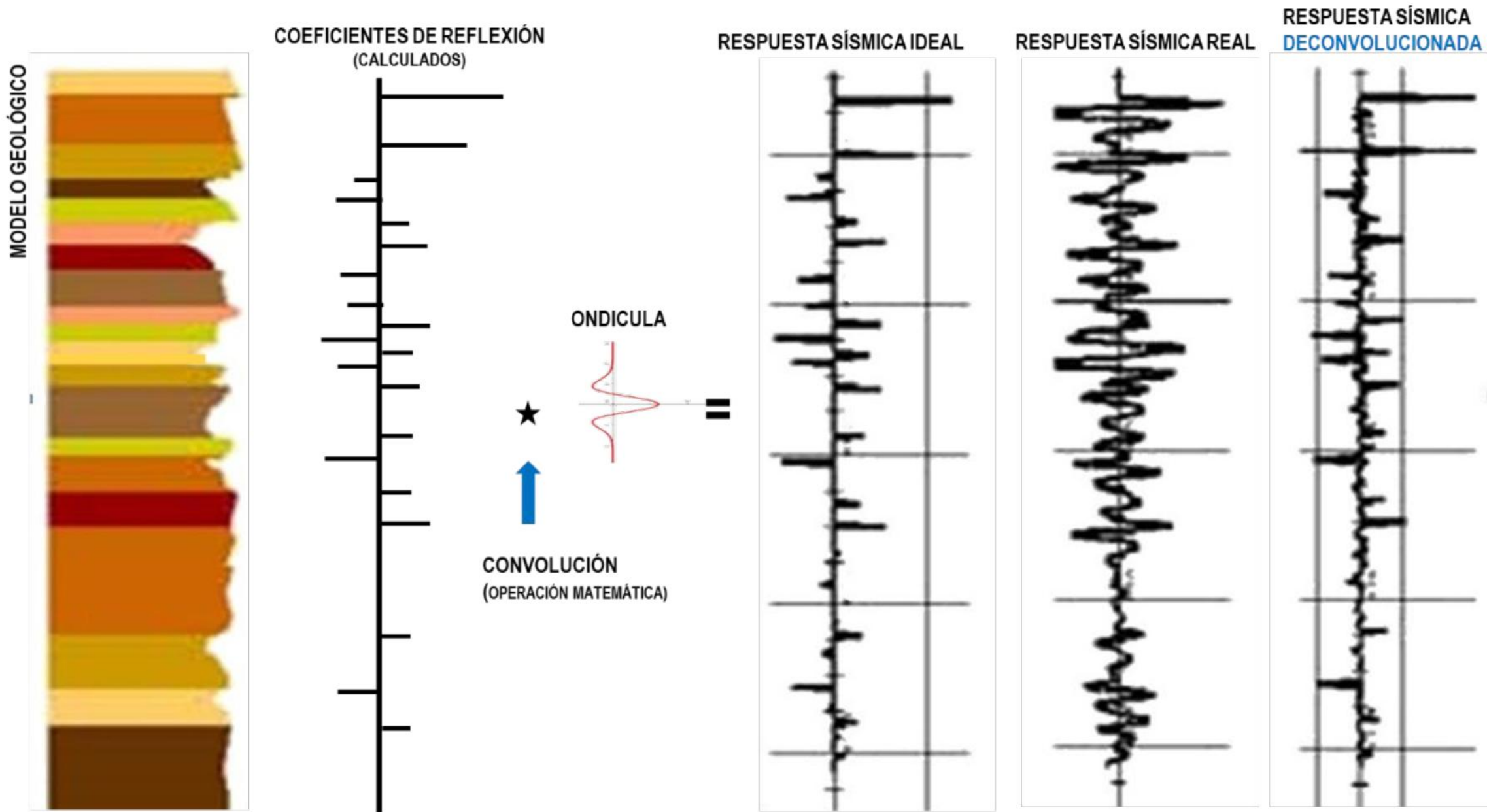
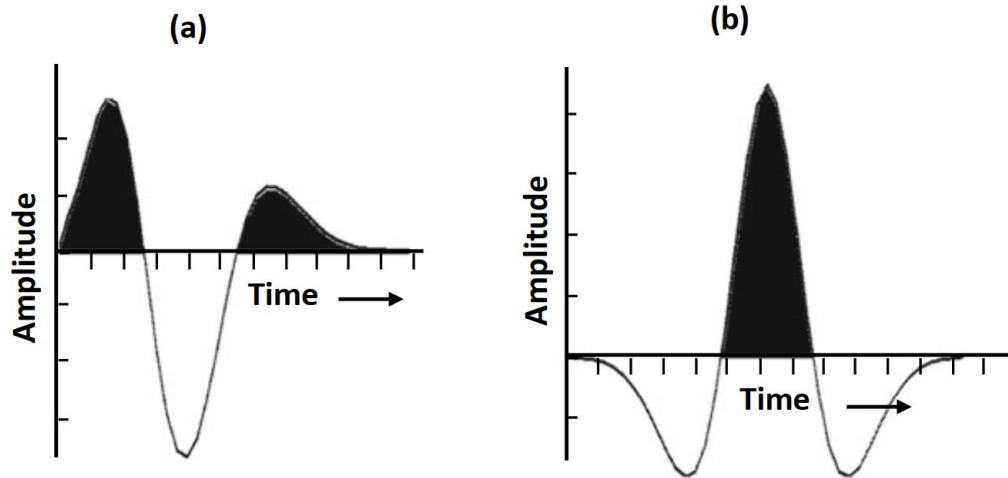


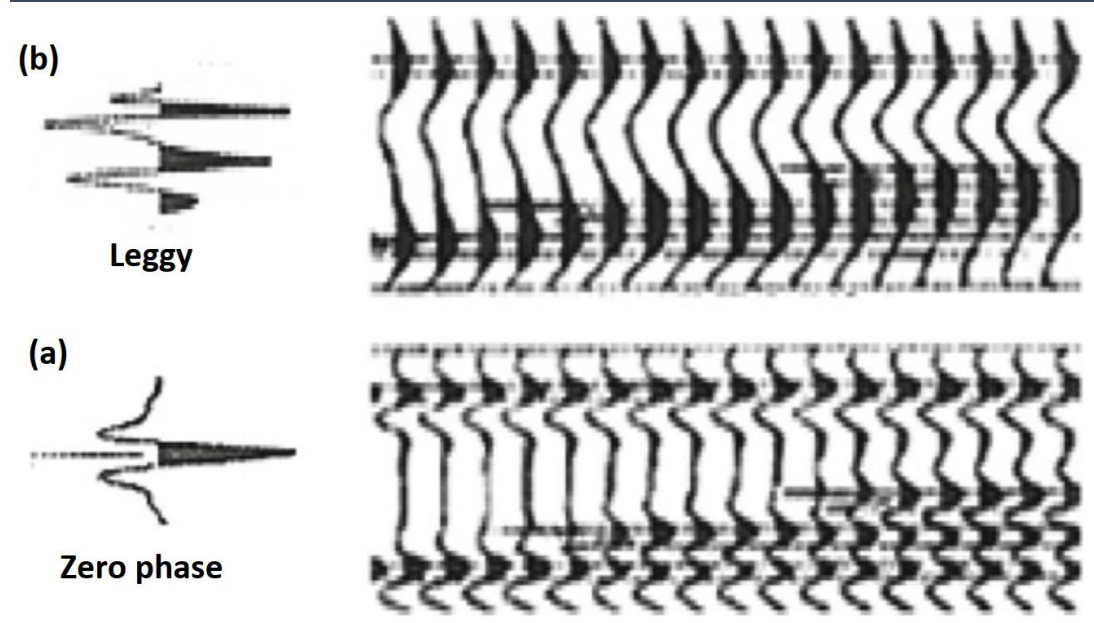
Figura N° 18: esquema del proceso de convolución de la ondícula con el modelo geológico, dando

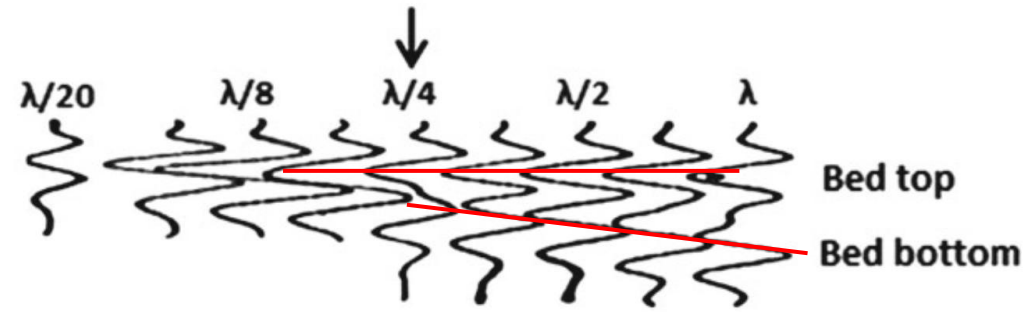
# Resolución vertical



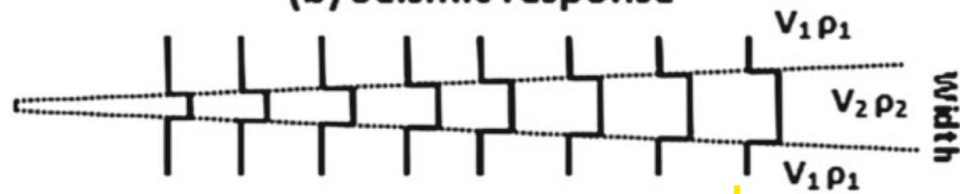
**Fig. 2** Showing types of seismic source wavelet types (a) minimum phase wavelet, generated by dynamite on land and air-gun in offshore and (b) zero phase wavelet generated by Vibroseis in land data acquisition. Zero phase wavelet is symmetrical with even side lobes and the

amplitude maxima occurs at time corresponding to exact depth of the strata without time delay. Note the minimum phase wavelet (a) is asymmetrical with energy loaded in front and the maxima occurs at a delayed time





(b) Seismic response



(a) Wedge model

**Fig. 4** Schematic illustrating Widess wedge model for vertical resolution limits. (a) The Widess wedge model and (b) seismic response for varying bed thickness. For a bed thickness greater or equal to the wave length ( $\lambda$ ), the top and bottom reflections are clearly resolvable and are

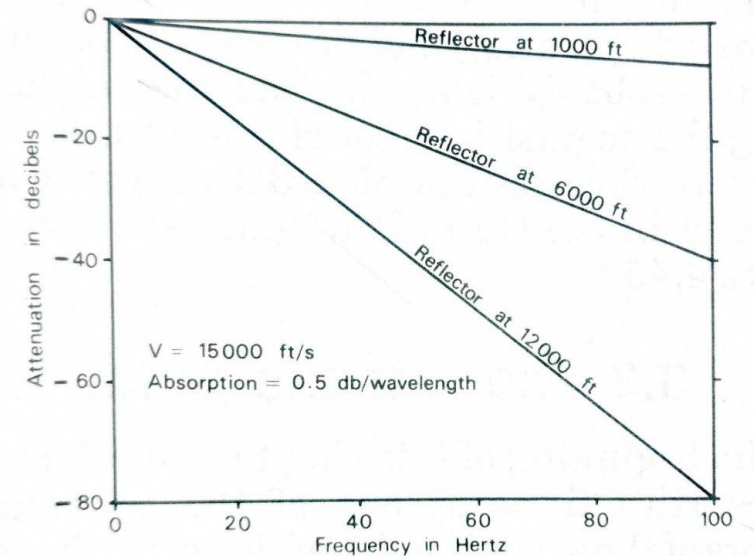
so till quarter wave length ( $\lambda/4$ ). For beds thinner than  $\lambda/4$  the top and bottom reflections are not distinct (arrow marked), limiting the vertical resolution to quarter wave length (after Widess 1973)

$$\lambda = \frac{v}{f}$$

velocidad  
 Frecuencia  
 10Hz – 70Hz

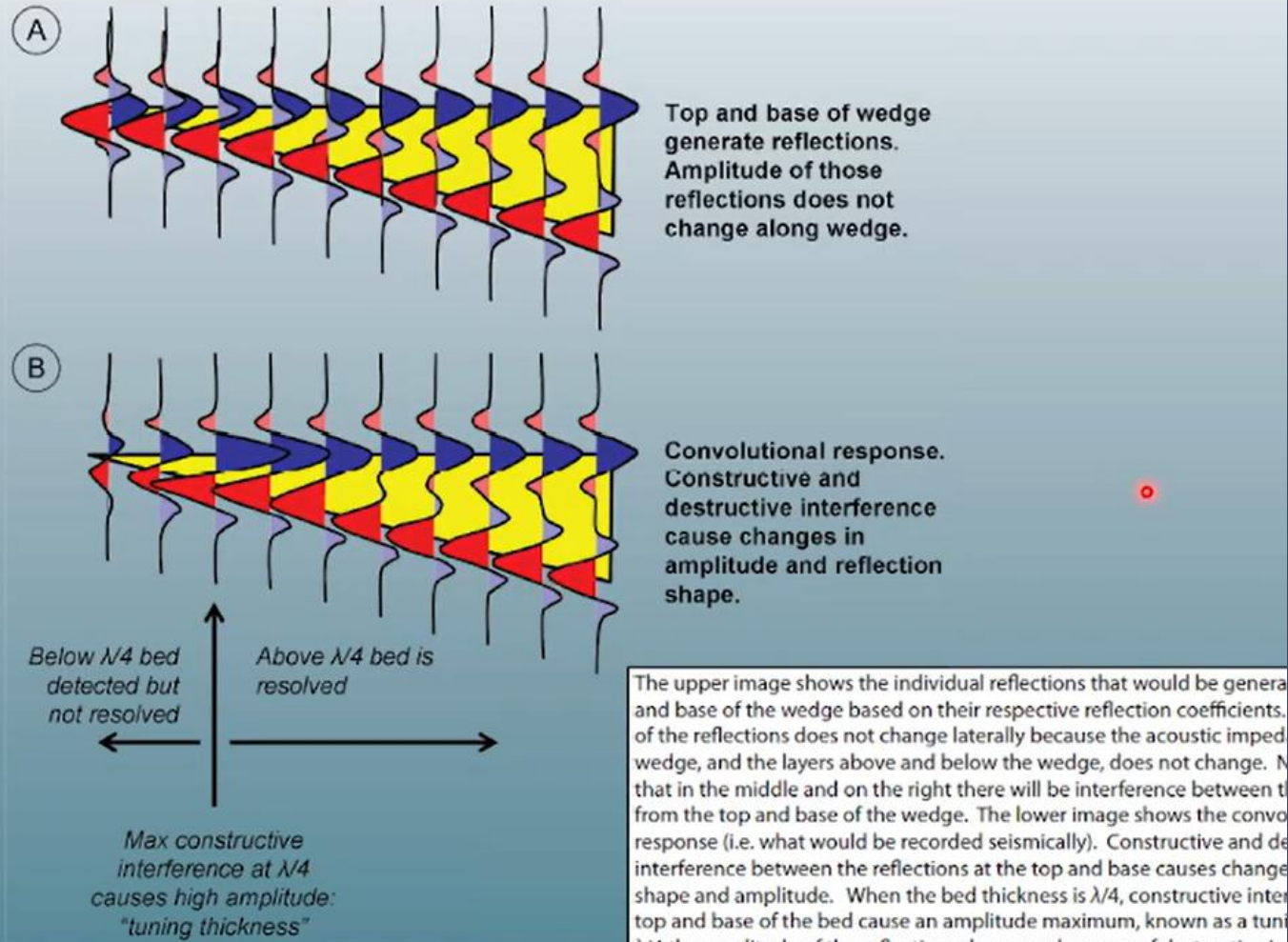
$$\lambda = 2000 \text{ m/s} \div 40 \text{ Hz} = 50 \text{ metros}$$

Velocidad promedio en sedimentos



**Figure 3/12** The effect of absorption in reducing seismic bandwidth with depth of a reflector. High frequencies are severely attenuated in the spectrum of deep reflections (after Evenden *et al.*, 1971).

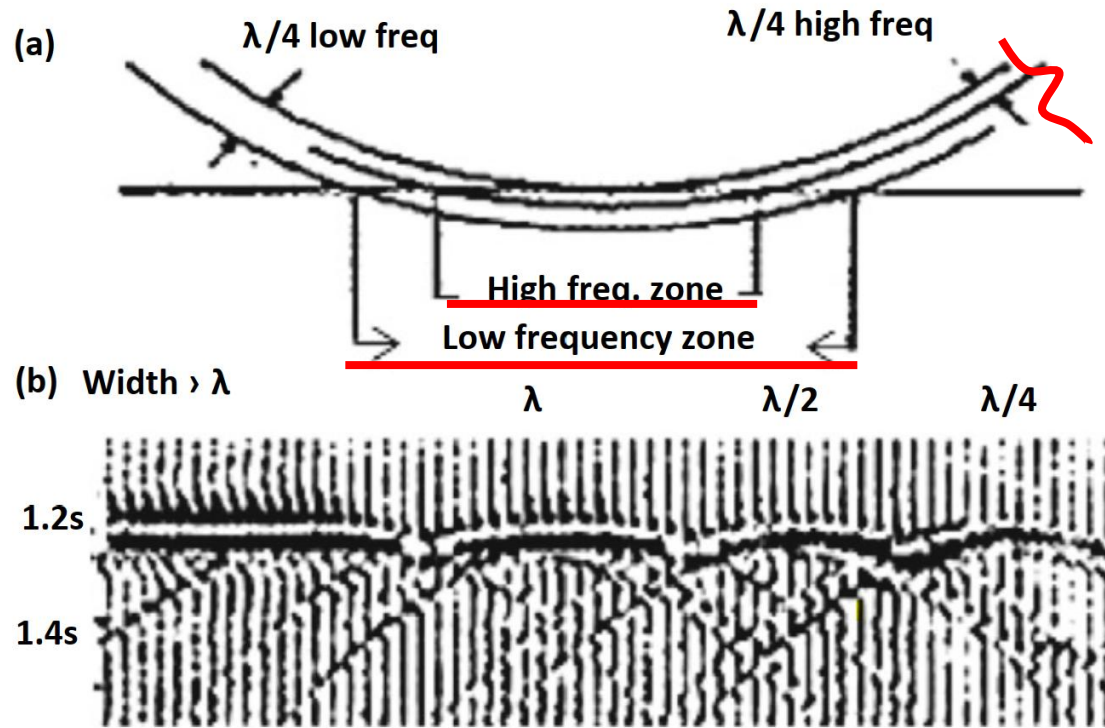
**Figure 2.31: Schematic representation of a wedge model**





LOOKOFFICE

# Resolución horizontal

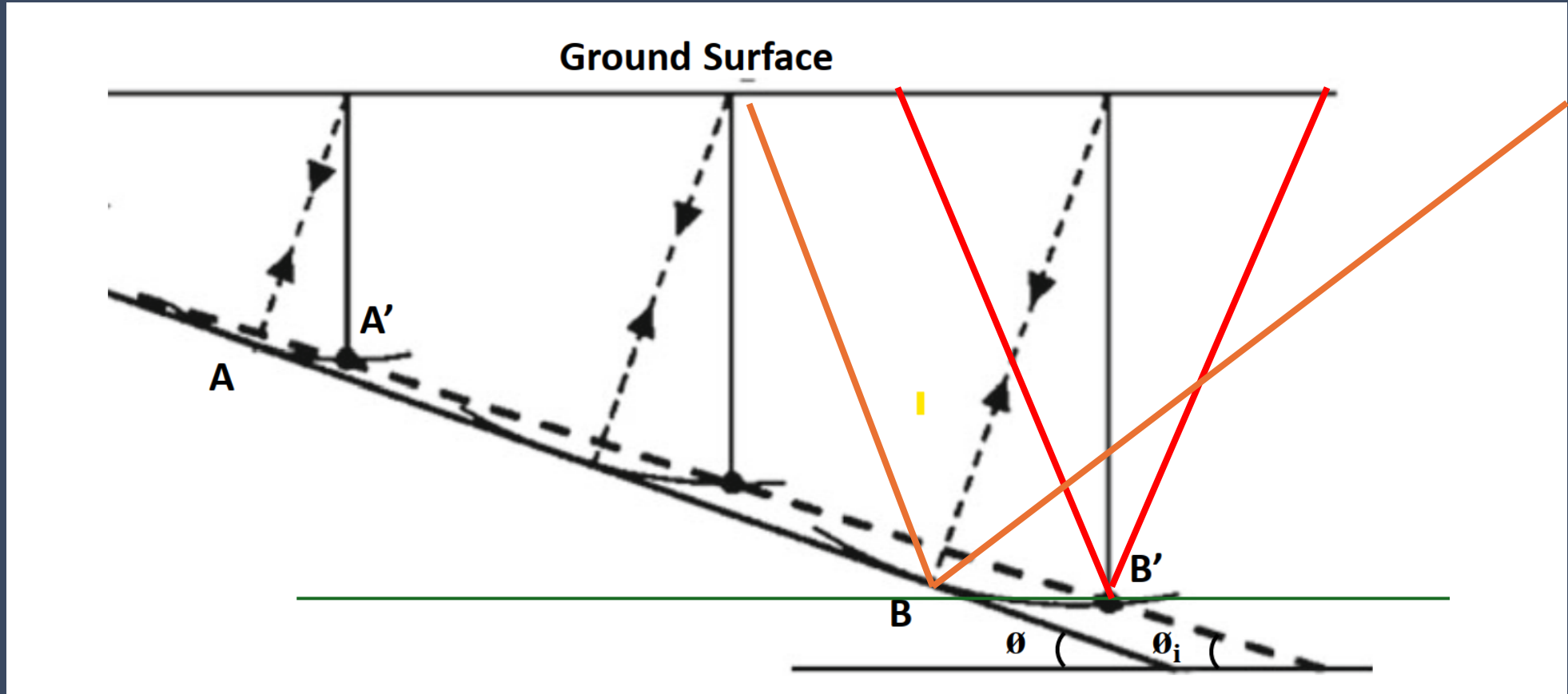


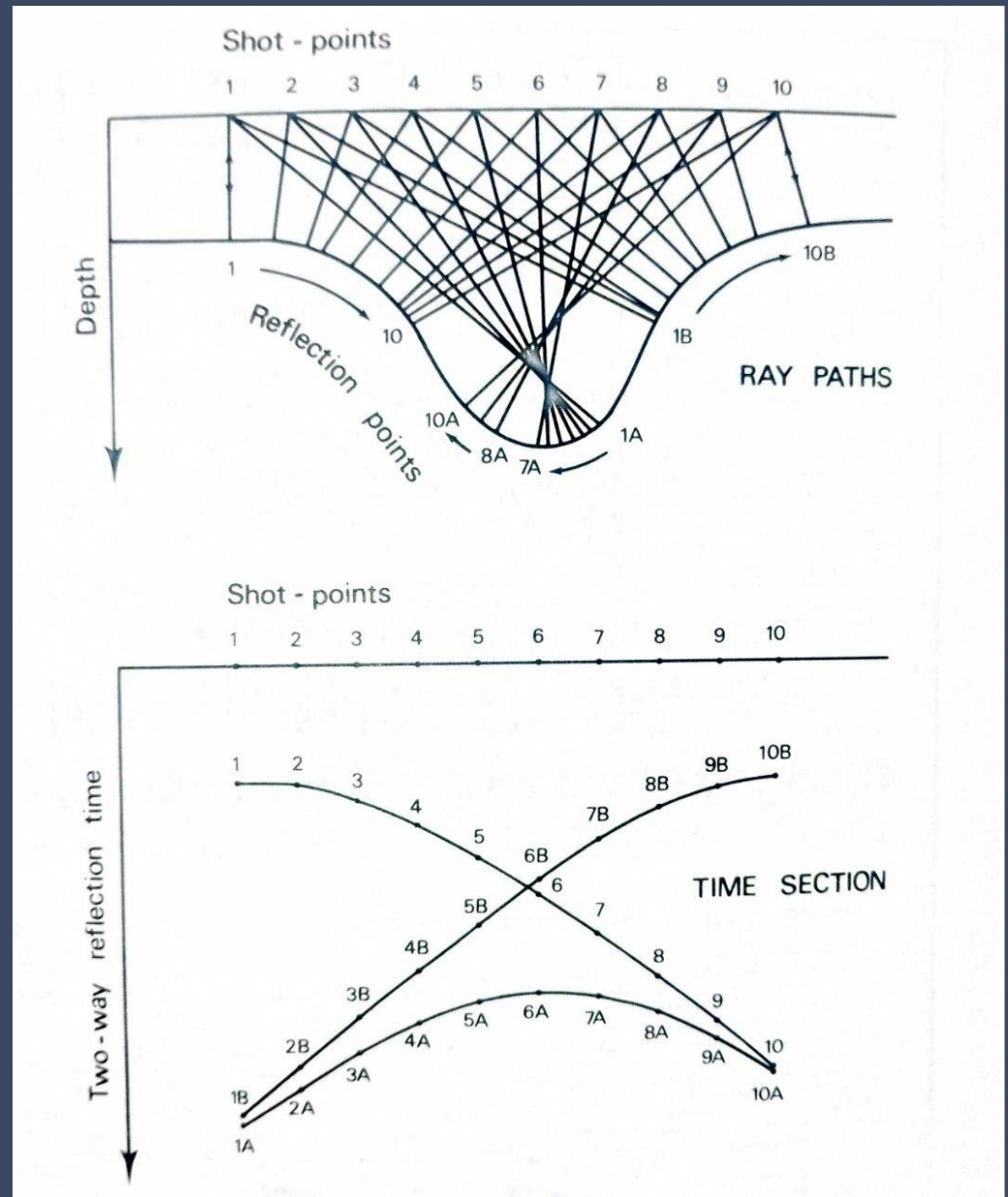
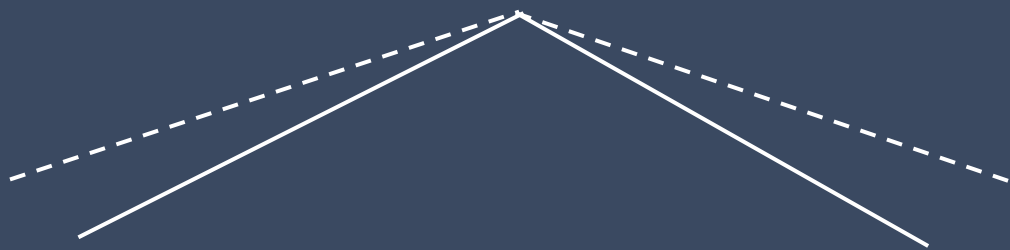
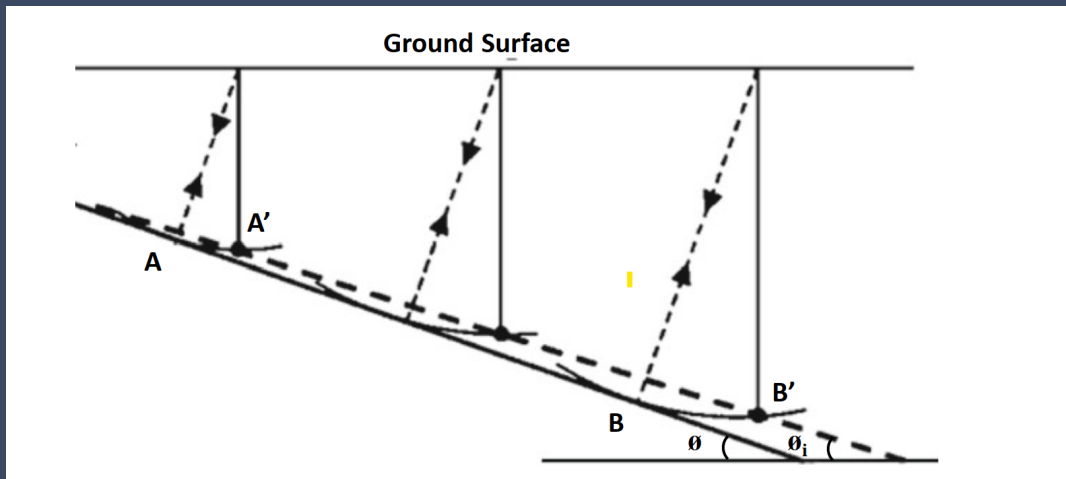
$$R \approx \sqrt{\lambda \cdot \frac{z}{2}}$$

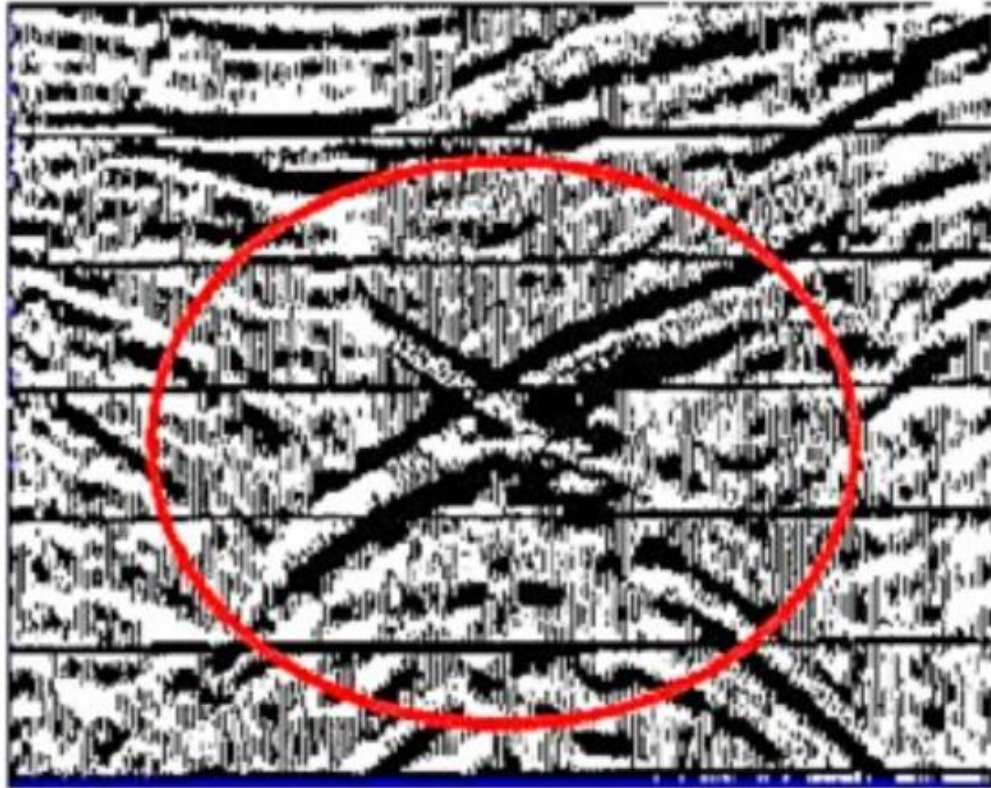
**Fig. 5** Schematic illustrating phenomenon of reflection and the Fresnel's zone. (a) Spherical wave front incident on plane surface forms contact zones of different widths for each of the frequencies in the bandwidth. However, the contact area for the dominant frequency mainly influences creating reflection events and is known as the (first) Fresnel zone and is a measure of lateral resolution.

Smaller the zone-width better is the resolution. The width of Fresnel zone at a depth is dependent on frequency, being larger for low frequency than for high frequency. (b) Synthetic reflection events computed with variable source wavelength. Notice the start of deterioration in reflection at  $\lambda/4$ , which sets this as the limit of spatial resolution (after Meckel and Nath 1977)

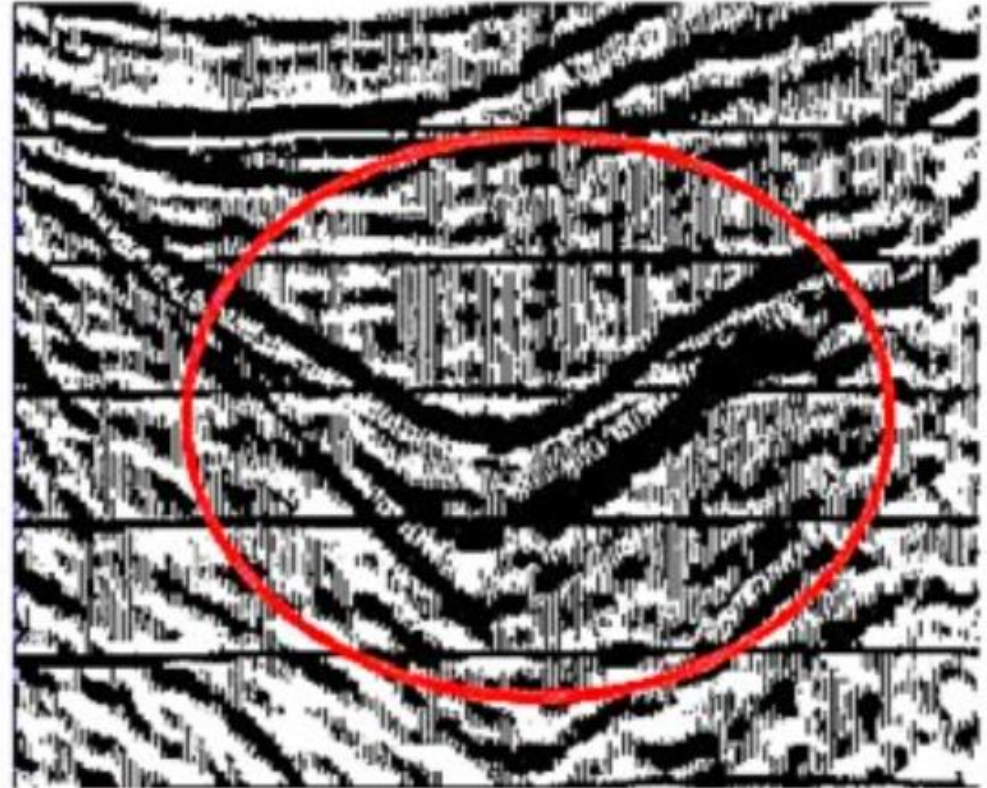
# Migración







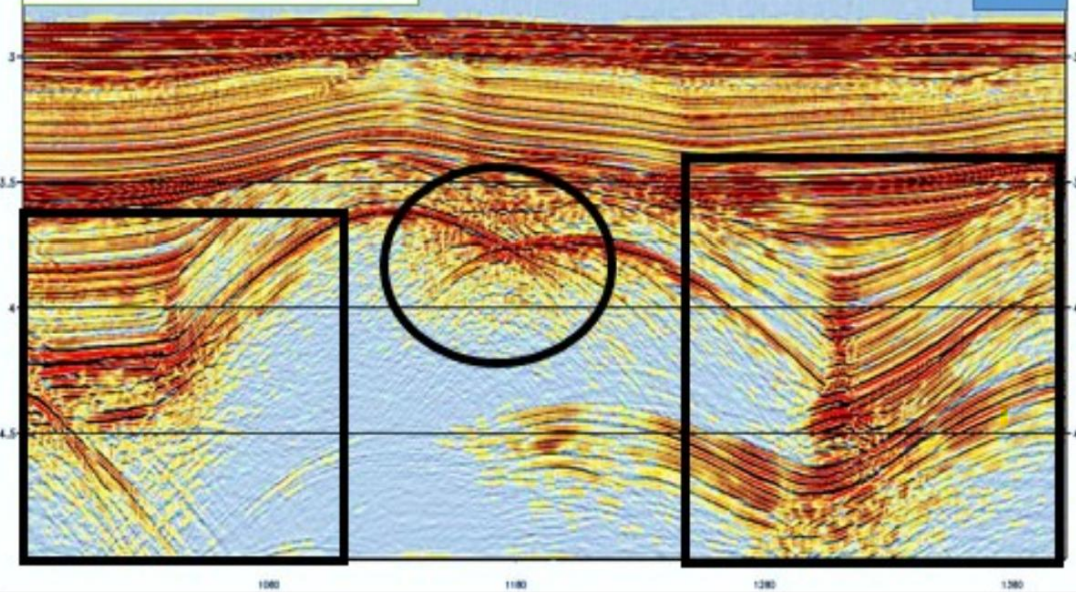
A



B

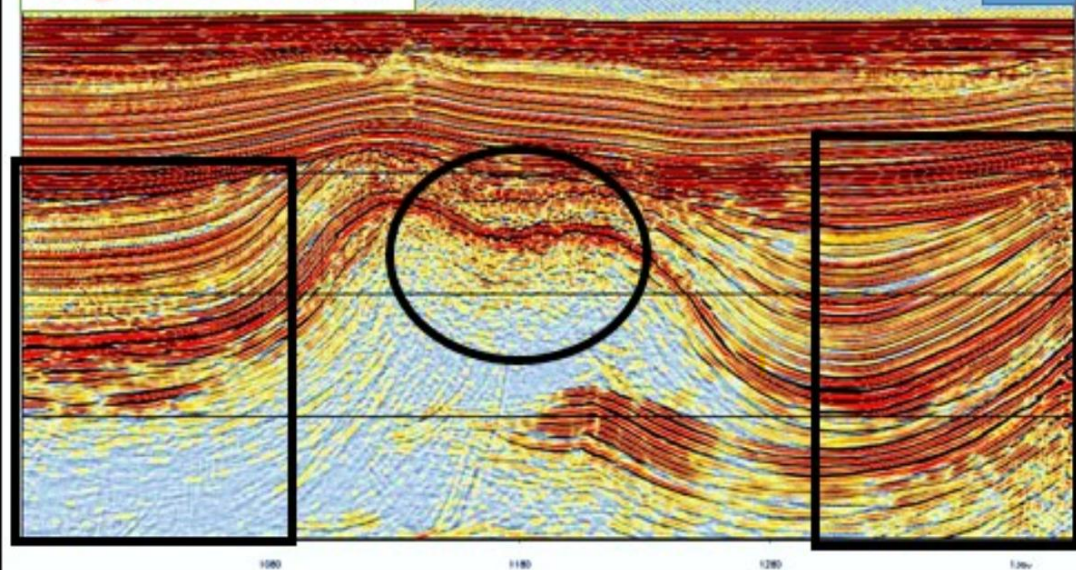
### Stacked Section

A

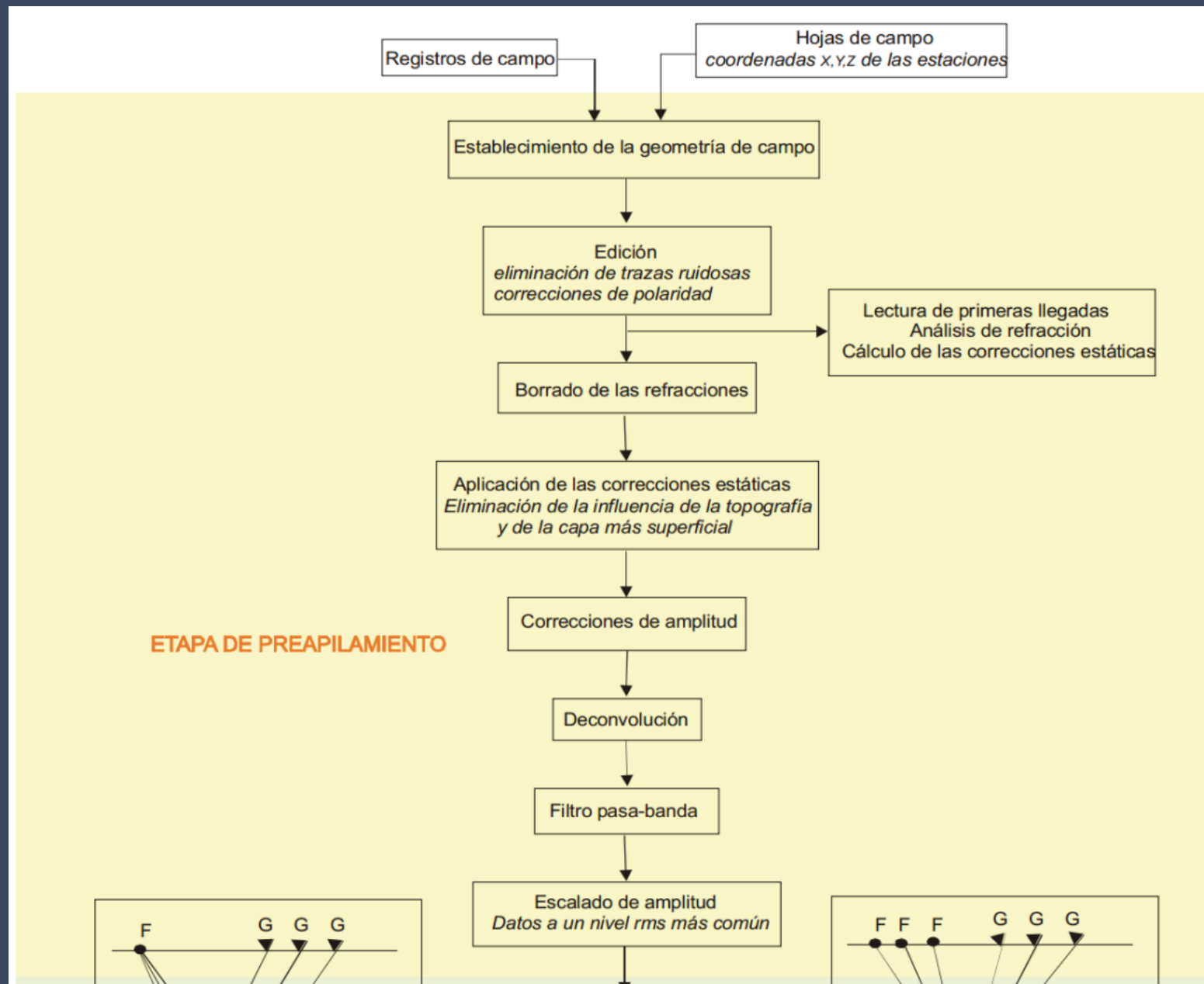


### Migrated Section

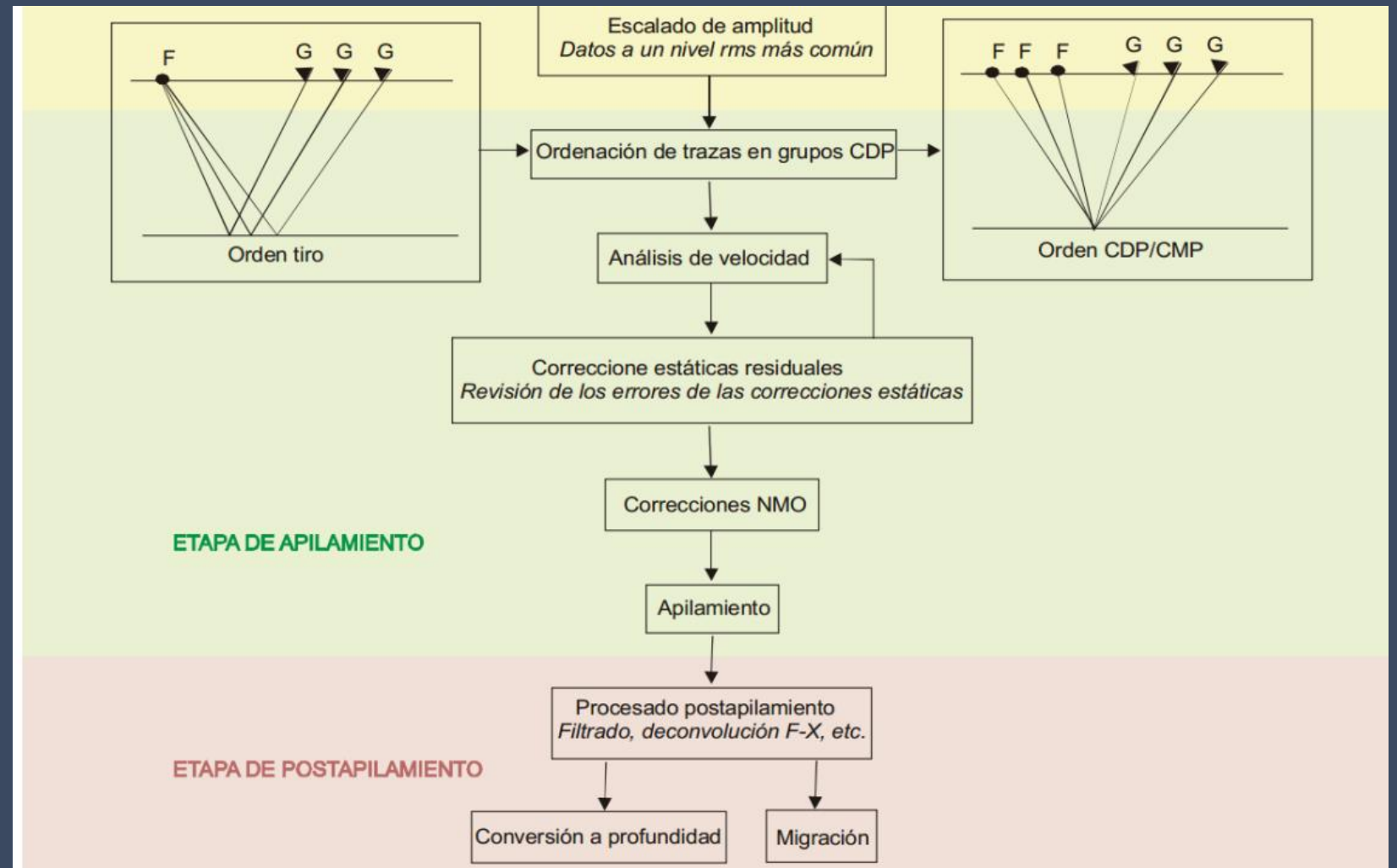
B



# Flujo de Trabajo 1/2

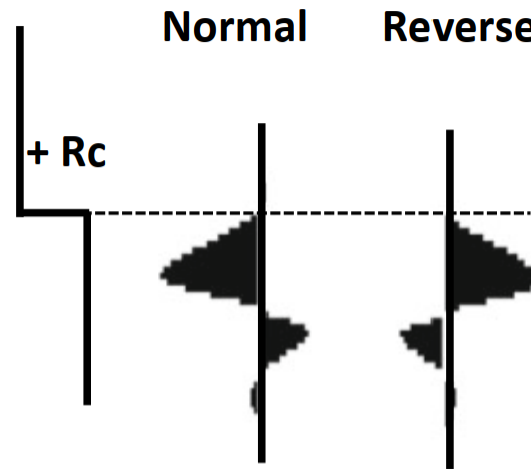


# Flujo de Trabajo 2/2

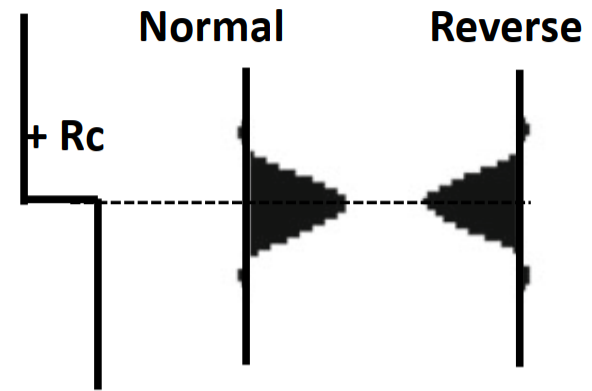


**Fig. 12** Display of different polarity conventions for minimum and zero phase source wavelets in SEG and Europa, Normal and Reverse. Note the opposite polarity conventions for minimum and zero phase wavelets in both SEG and Europa. The Europa convention is opposite to corresponding SEG convention

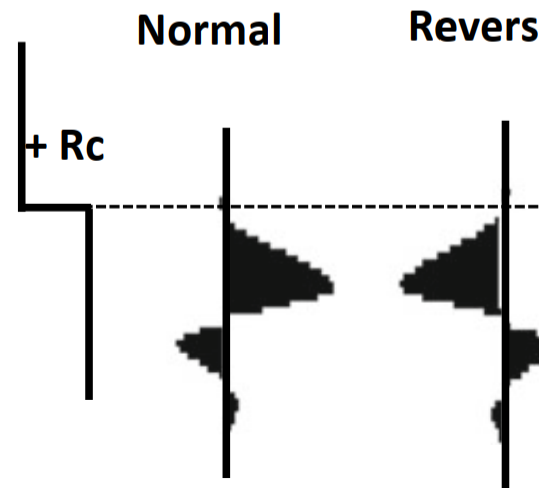
### SEG Minimum phase



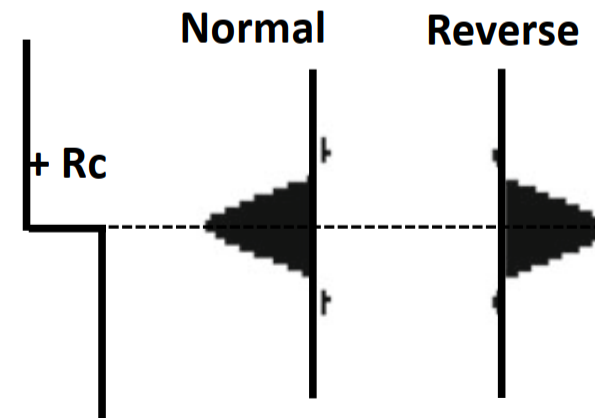
### SEG Zero phase

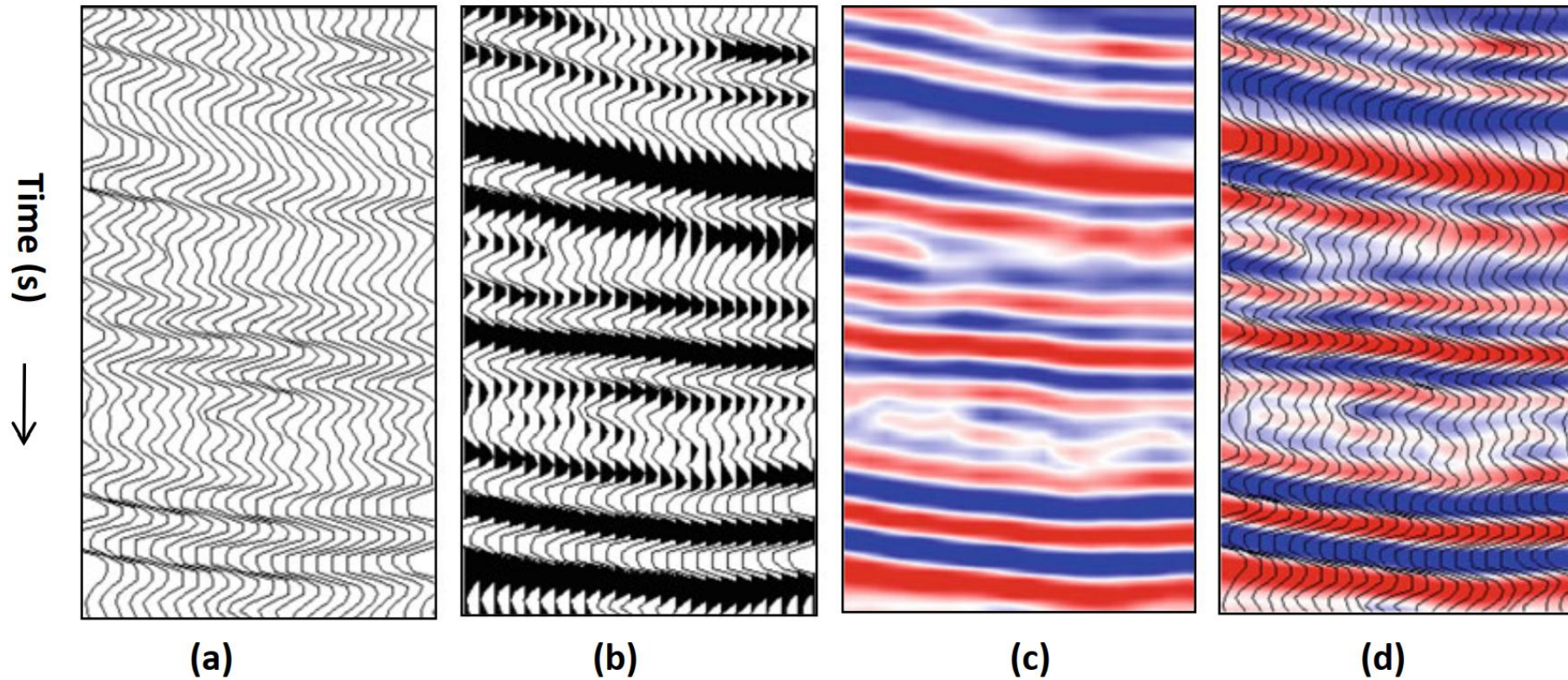


### EUROPA Minimum phase



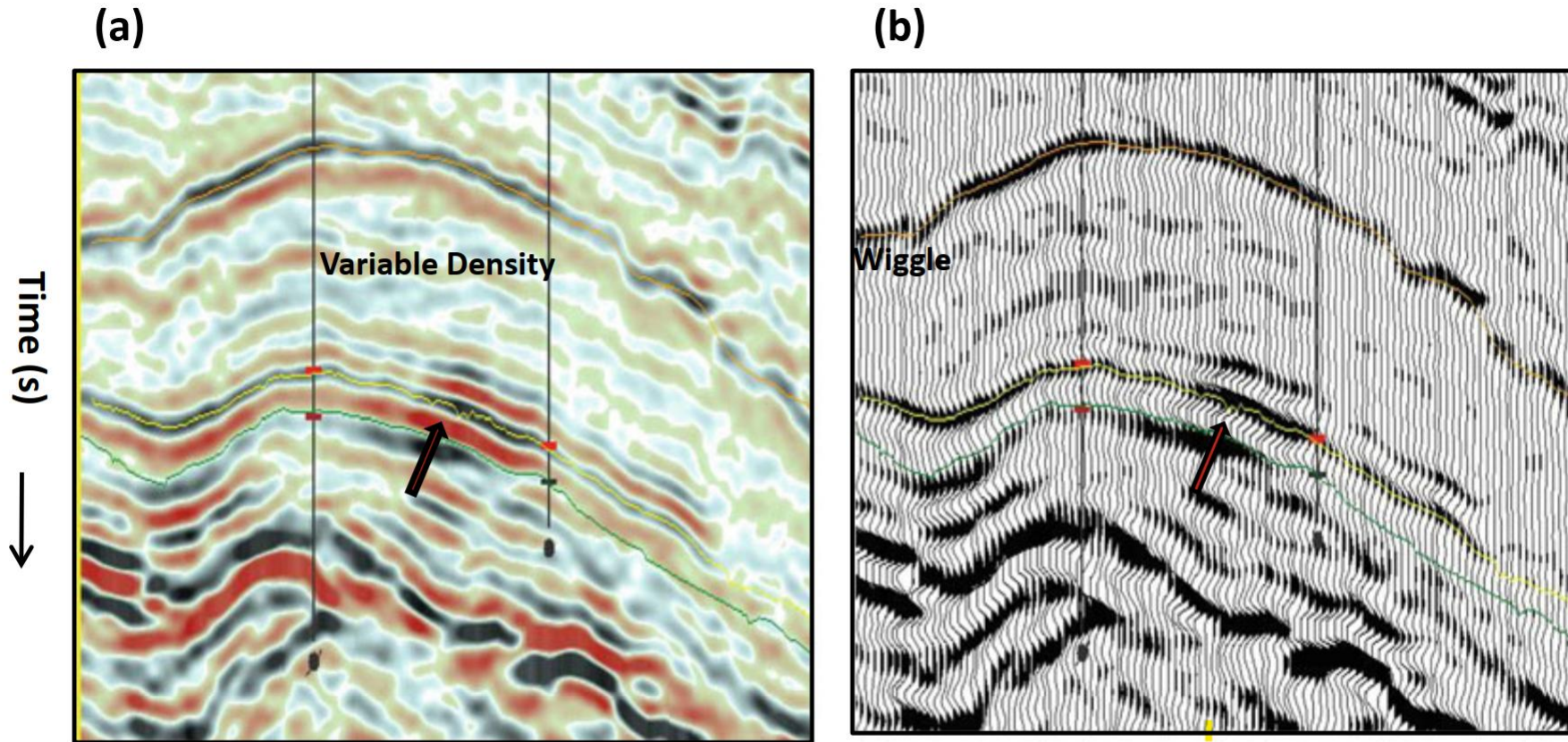
### EUROPA Zero phase





**Fig. 16** Seismic segments showing types of display modes. **(a)** wiggle, **(b)** wiggle and variable area, **(c)** variable density, **(d)** combination of wiggle and variable density. Note the lateral changes in wave form seen

clearly in wiggle and variable area mode **(b)** but not so clear in **(c)**. Lateral variability in wave forms provide valuable geologic information



**Fig. 17** Seismic image in display modes showing comparison of (a) variable density and (b) Wiggle with variable area modes. Reflection standouts and continuity are seen better in the variable density, but does not show the changes in wave form and misses the important geologic information they carry. Wiggle and VA mode

shows clearly the variations (the trough marked by arrow) and help proper correlation based on reflection character and also offer geologic information from the lateral change of wave forms (image: courtesy, Hardy Energy, India)

# Sísmica 3D

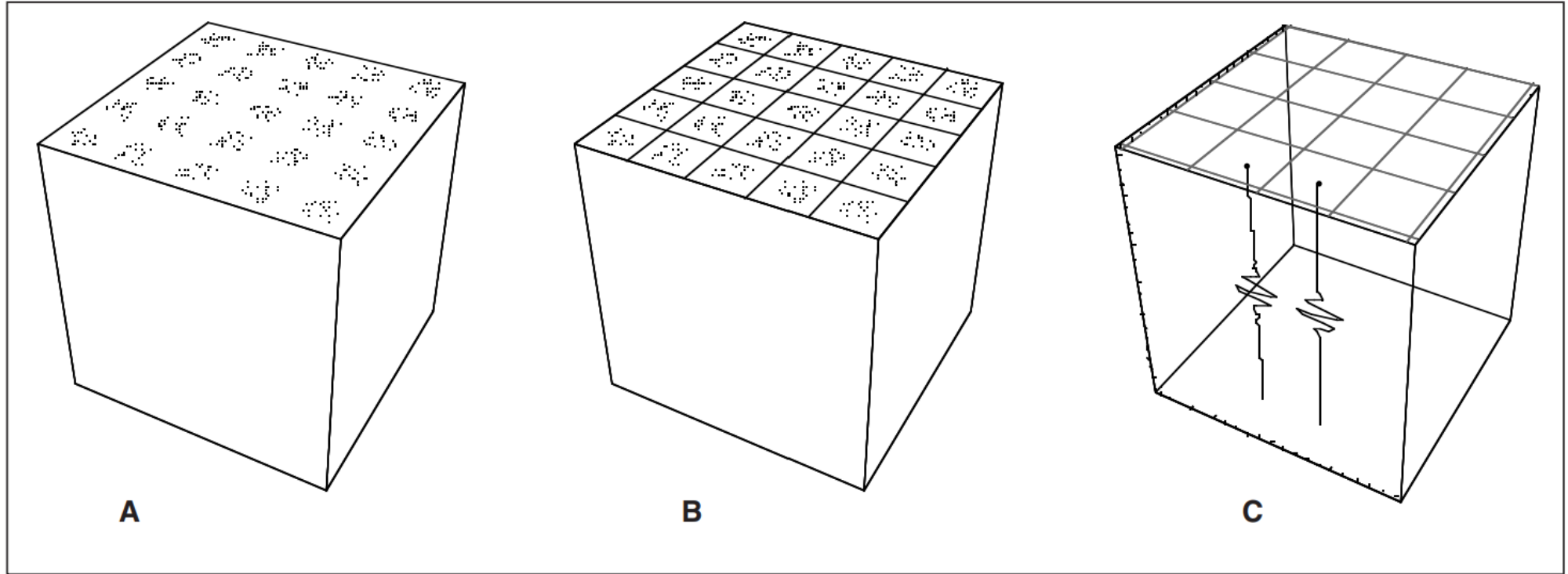


Figure 12–4. From Liner, 1999; courtesy PennWell.

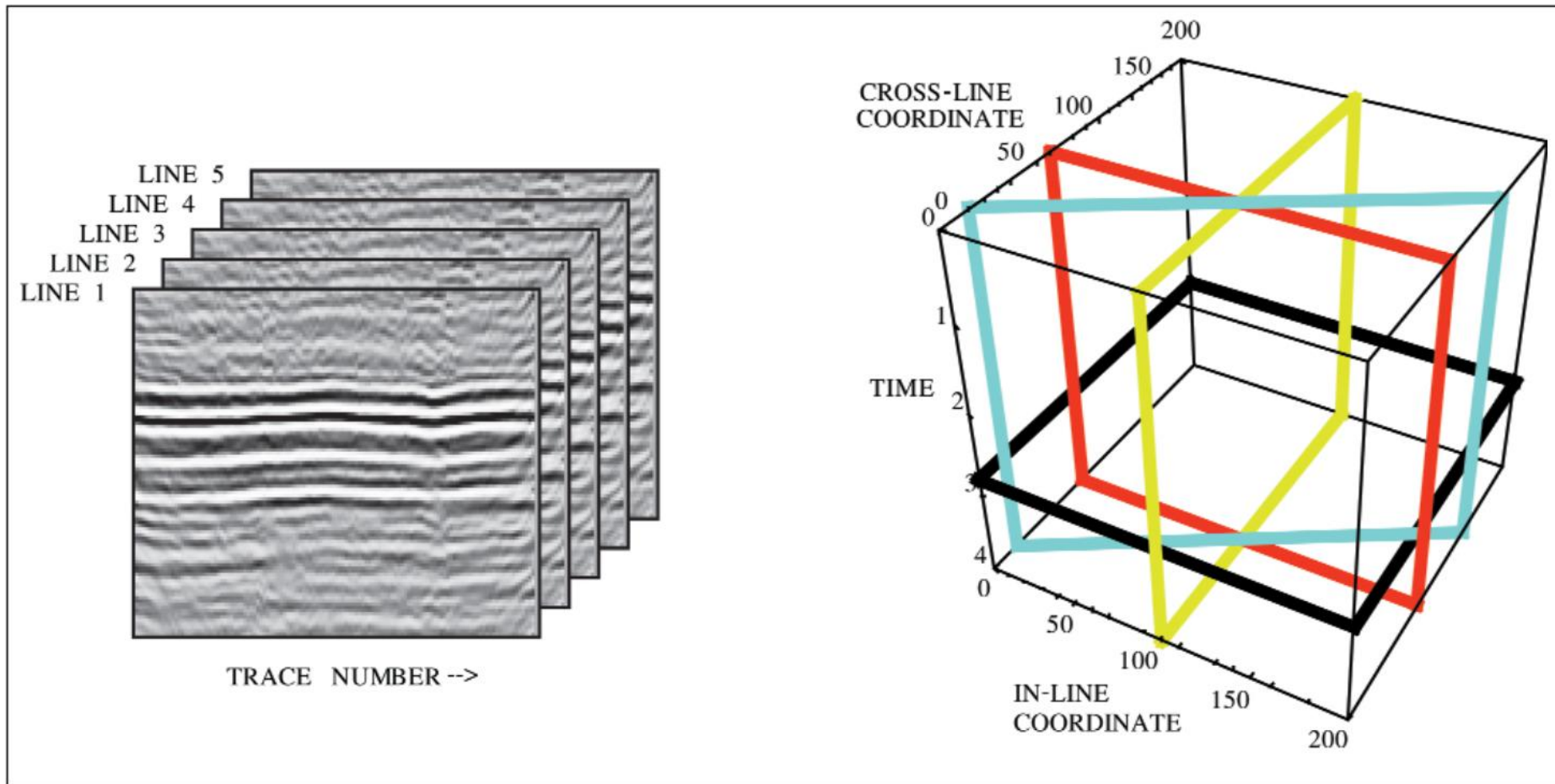
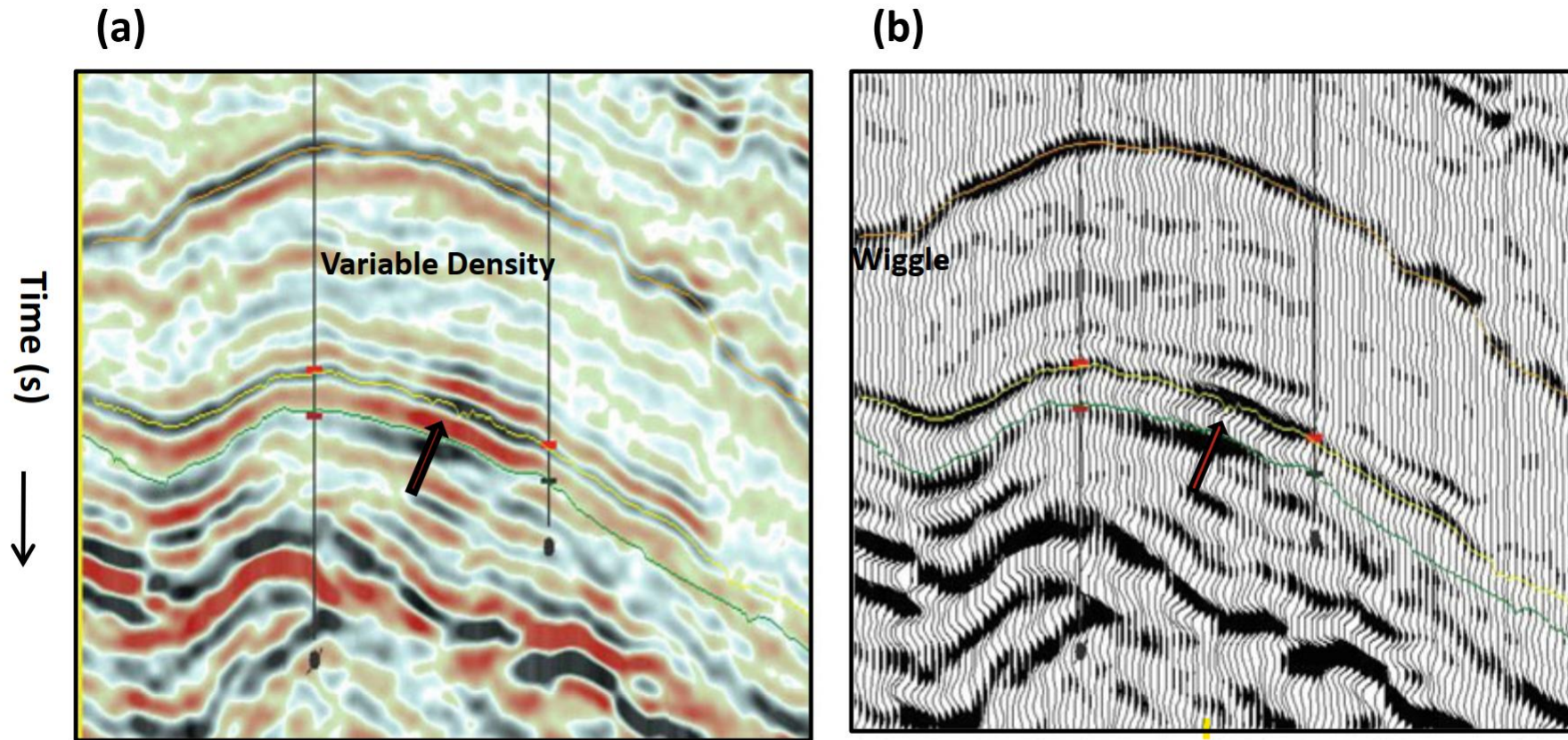


Figure 12-5. From Liner, 1999; courtesy PennWell.

# Sísmica de Pozo VSP (Vertical Seismic Profile)



**Fig. 17** Seismic image in display modes showing comparison of (a) variable density and (b) Wiggle with variable area modes. Reflection standouts and continuity are seen better in the variable density, but does not show the changes in wave form and misses the important geologic information they carry. Wiggle and VA mode

shows clearly the variations (the trough marked by arrow) and help proper correlation based on reflection character and also offer geologic information from the lateral change of wave forms (image: courtesy, Hardy Energy, India)

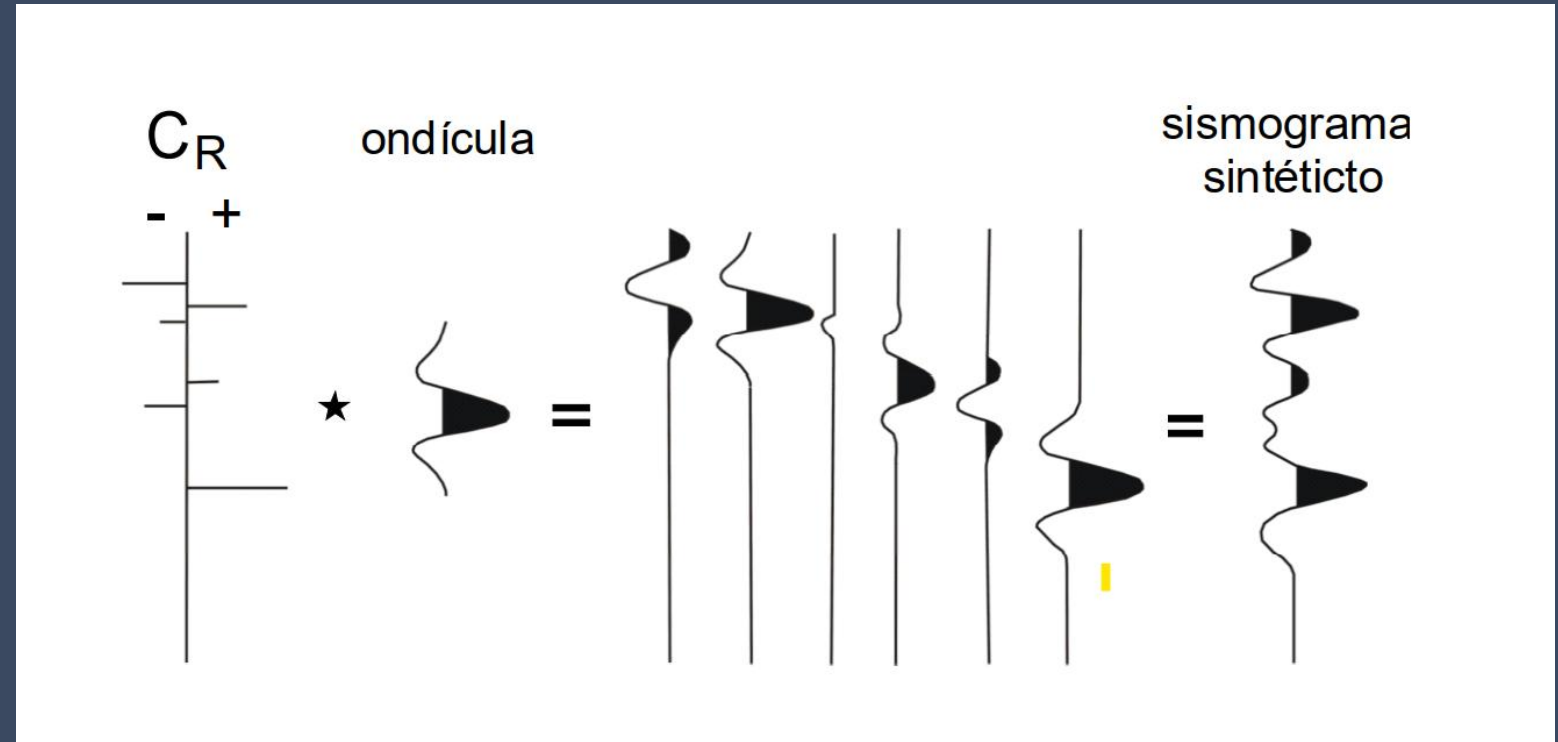
# Sismograma sintético

$$CR = \frac{Z_2 - Z_1}{Z_2 + Z_1}$$

$$Z_i = \rho_i \cdot v_i$$

Perfil de densidad

Perfil Sónico



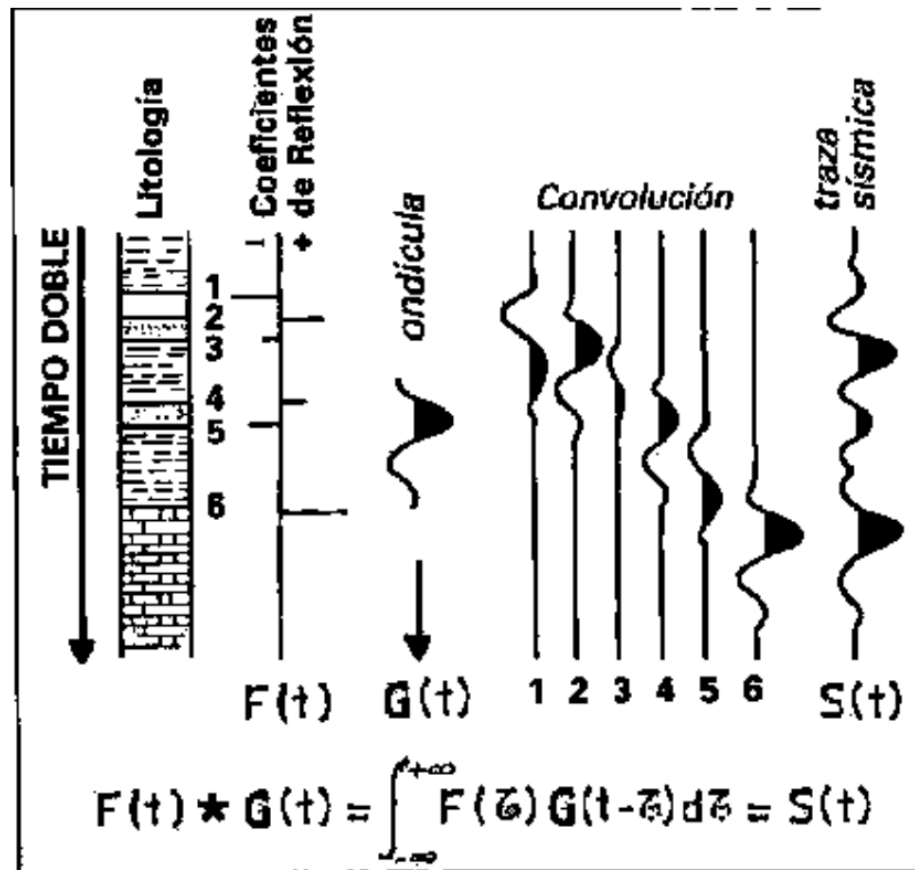
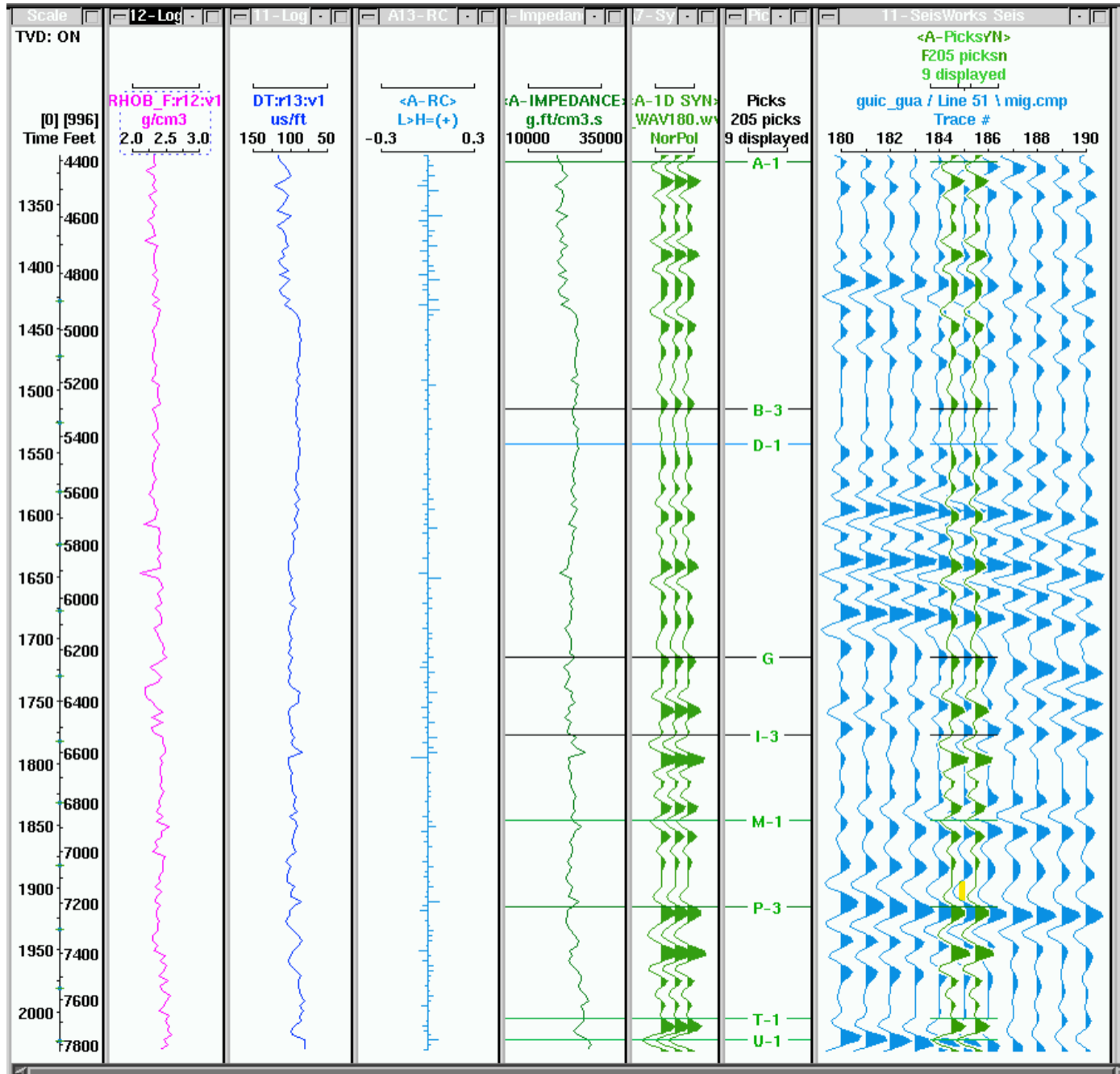
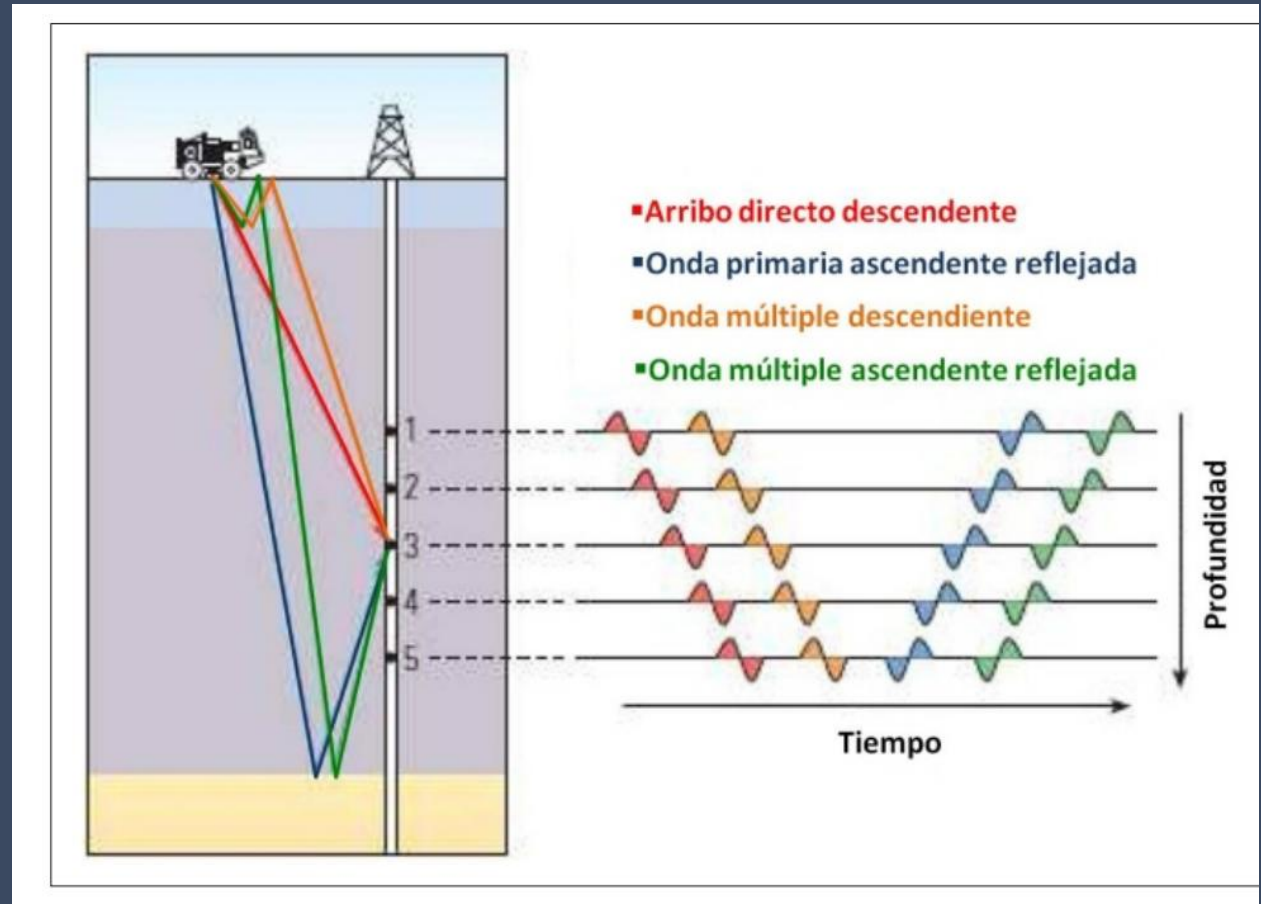
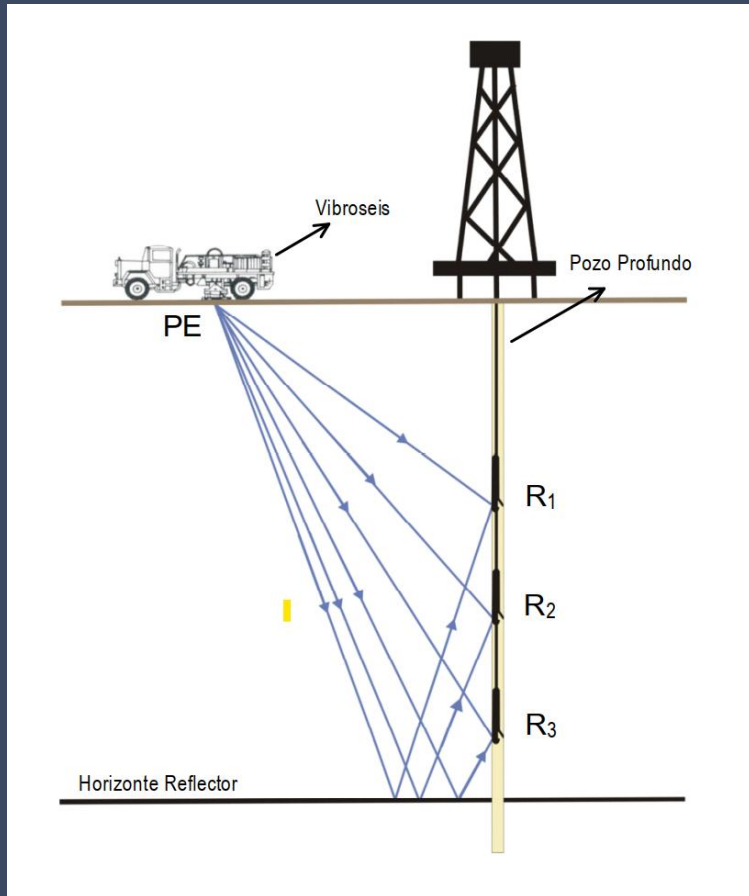


Figura 14: Operación matemática de convolución; modelo de traza sísmica, (Chelotti *et al*, 2010).



# VSP



- ➔ ***Checkshot***
- ➔ ***VSP Cero Offset (ZVSP)***
- ➔ ***VSP Offset (OVSP)***
- ➔ ***VSP Walkaway***

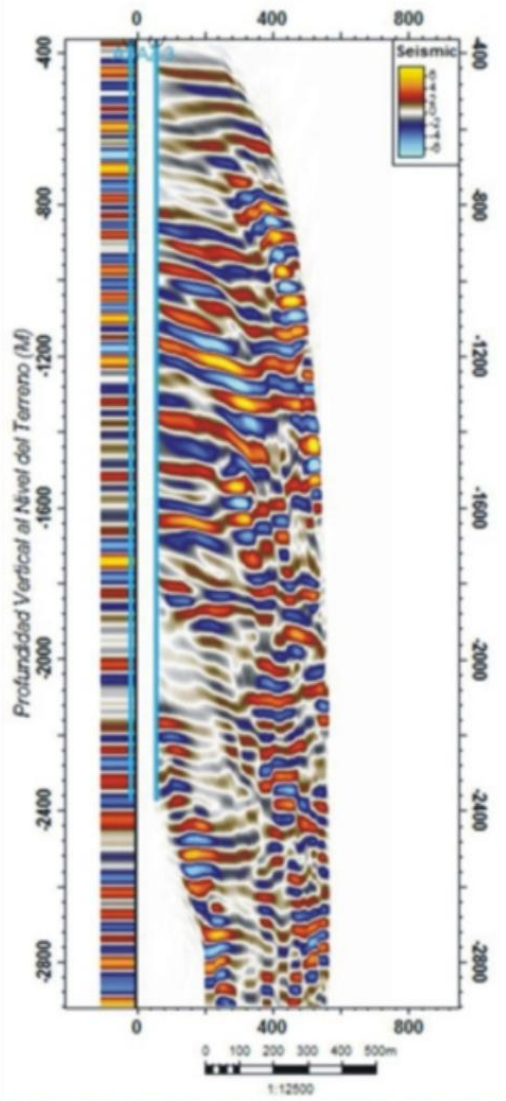


Figura 4.4.1.-Imagen 1D (ZVSP) y 2D (OVSP) (Tomada de Parga-

Corredor apilado y Migración 8-50Hz

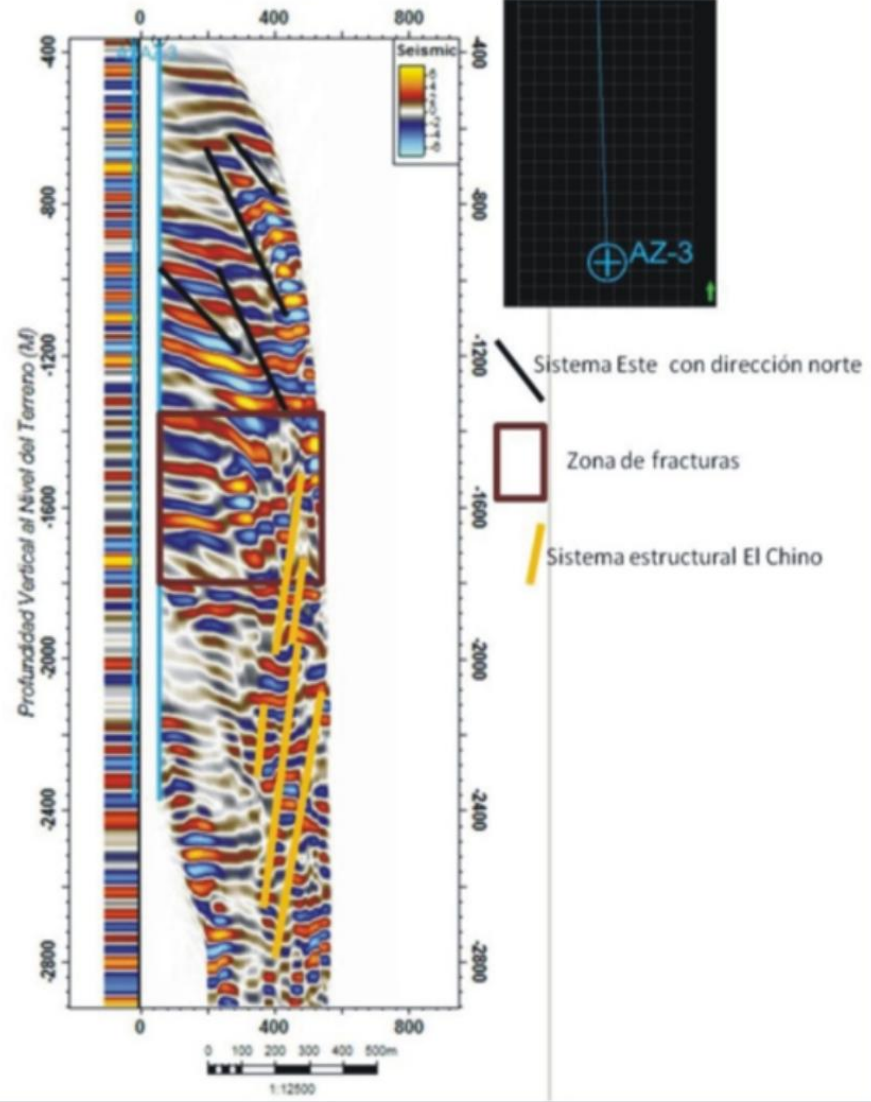


Figura 4.4.2.-Interpretación del registro OVSP.

## VSP / 3D Seismic Correlation 383-36S

